

Collision-free configurations are

 $\mathcal{C}_{\text{free}} = \mathcal{C} \setminus \mathcal{C}_{\text{obs}}.$

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Relaxing constraints and considering realistic assumptions

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shortest vs fastest (length vs curvature) A4M36PAH - Lecture 9: Trajectory Planning

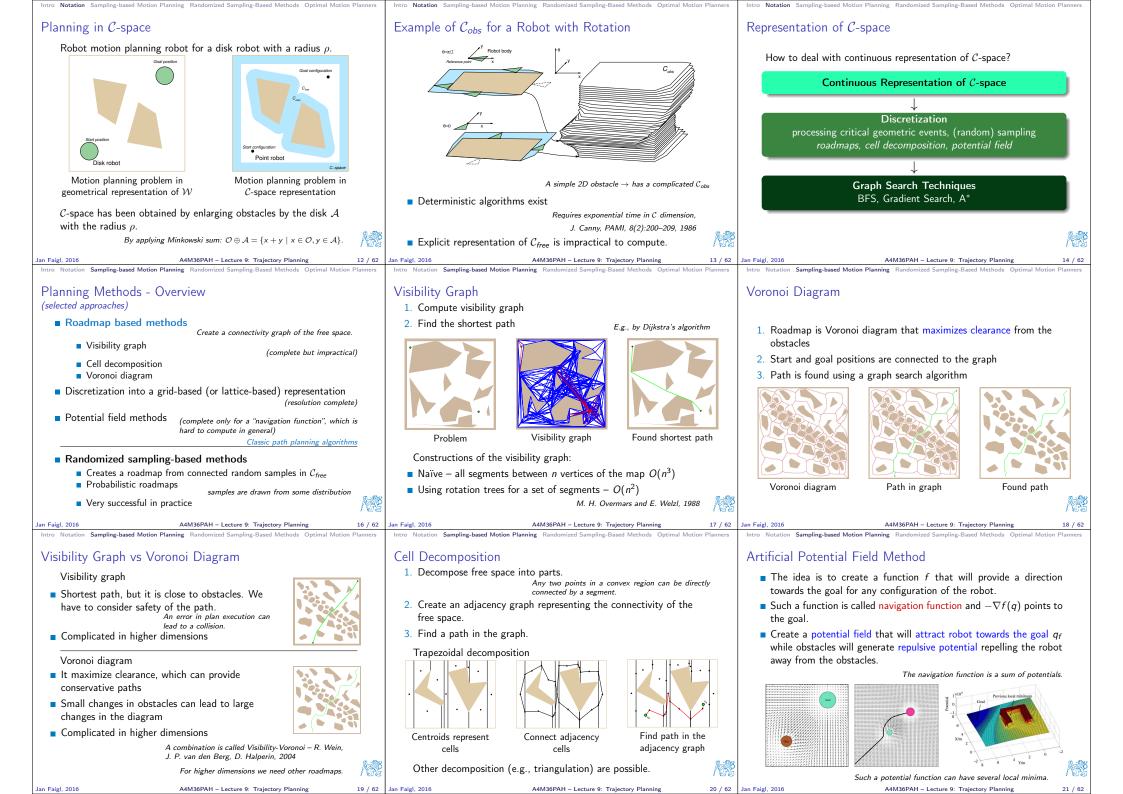
Optimality criterion

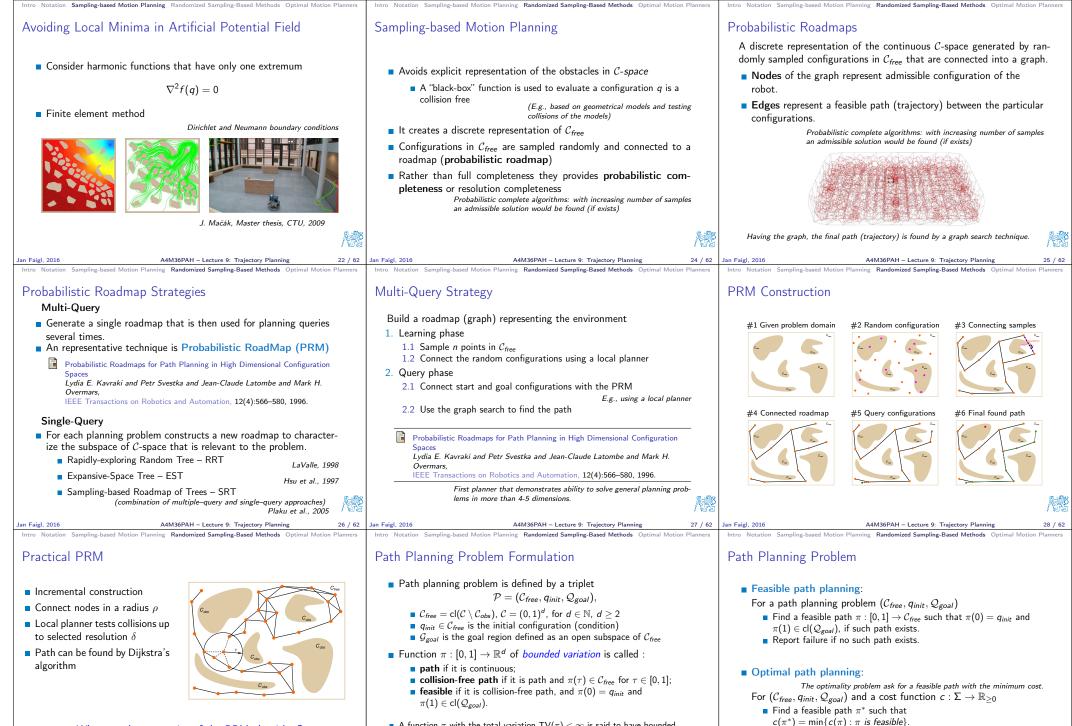
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E.g., considering friction forces

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• A function π with the total variation $TV(\pi) < \infty$ is said to have bounded variation, where $TV(\pi)$ is the total variation

 $\mathsf{TV}(\pi) = \sup_{\{n \in \mathbb{N}, 0 = \tau_0 < \tau_1 < ... < \tau_n = s\}} \sum_{i=1}^n |\pi(\tau_i) - \pi(\tau_{i-1})|$

• The total variation $TV(\pi)$ is de facto a path length

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What are the properties of the PRM algorithm?

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We need a couple of more formalism

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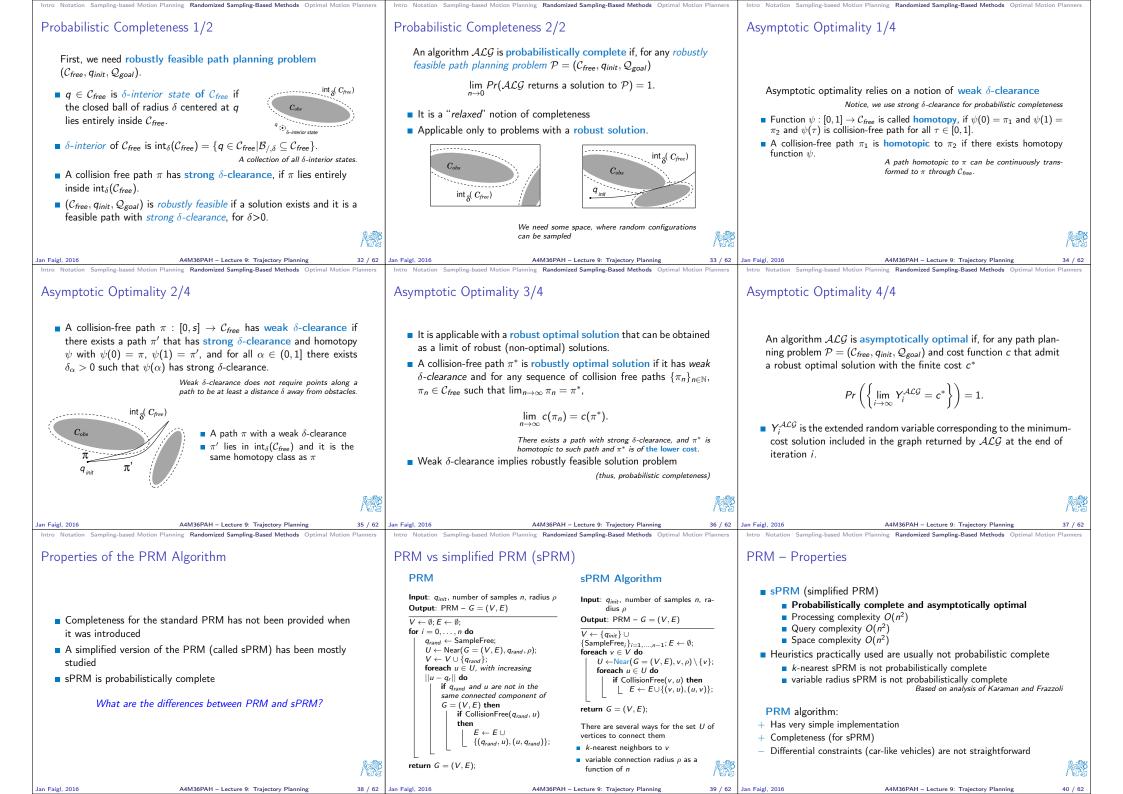
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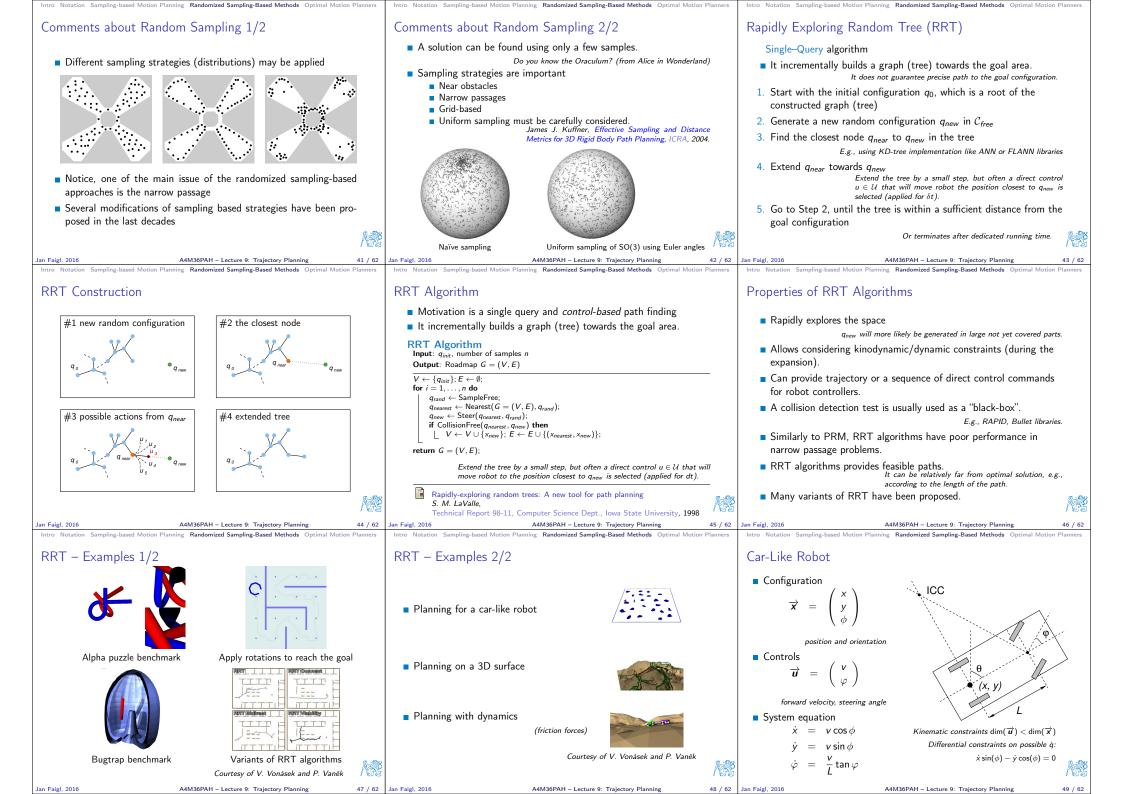
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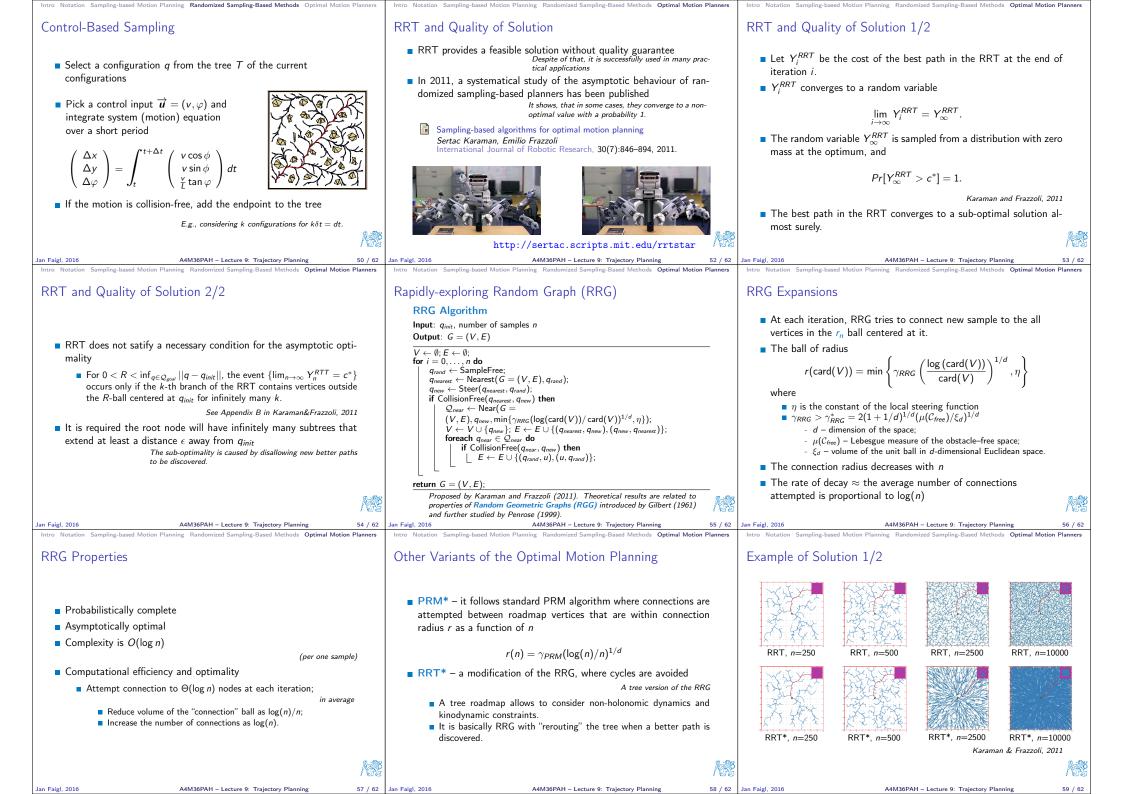
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The cost function is assumed to be monotonic and bounded, i.e., there exists k_c such that $c(\pi) < k_c \operatorname{TV}(\pi)$.

Report failure if no such path exists.







Example of Solution 2/2		Overview	of Randomized	d Sampling-bas	ed Algorithms	S	Summary		
			Algorithm	Probabilistic Completeness	Asymptotic Optimality			 Introduction to motion planning Overview of sampling-based planning methods 	
			sPRM k-nearest sPRM	✓ ×	× ×		 Basic roadmap metho Visibility graph Voronoi diagram 	bds	
			RRT	~	×		 Cell decompositio 		
			RRG	~	~		 Artificial potential fiel Randomized Sampling-based 	a method ased Methods and their properties (F	PRM
			PRM* RRT*	~			sPRM, RRT)		,
<u>"Excertion of the second second</u>			KR I *	V	V		Optimal Motion Planners	s (RRG, PRM*, RRT*)	
RRT, <i>n</i> =20000	RRT*, <i>n</i> =20000		Notice, k-nearest variants of RRG, PRM*, and RRT* are complete and optimal as well.						1
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