

# Introduction

Planning and games

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# Lectures

- Trajectorial planning (today Jan Faigl)
- Carmel Domschlack
  - block of lectures 4.-8.3.2013
- Rest at the end of semester
  - 22.4. Graphplan
  - 29.4. Hierarchical planning
  - 6.5. Game theory introduction
  - 13.5. From one to many

# Tutorials

- Before Carmel
  - State Space Search revision
  - Trajectorial planning
- After Carmel
  - Classical planning
  - PDDL

# Assignemnts

- Two (2 x 15)
- The first will have deadline before Carmel
  - 3.3.2013
  - Trajectorial planning
- The second around 21.4.2013
  - Classical planning - PDDL

# State Space Search

Planning and games

# Search Space

- Search Space  $S$  is a set of states, where the goal is to find the states that satisfy the condition  $g$  using actions (operators).
- Formally the problem is defined as a tuple  $(s_0, g, O)$ , where:
  - $s_0$  is the initial state
  - $g$  is the goal condition
  - $O$  is a set of state – transition operators

# Uninformed search

- There are various strategies for “uninformed search” (blind search)
  - breadth-first (BFS)
  - depth-first (DFS)
  - iterative deepening (IDS)
  - bidirectional search (BS)
  - Uniform cost search

# Uninformed search complexity

- Breadth-First Search (complete, optimal)
  - Time  $O(b^d)$
  - Space  $O(b^d)$
- Depth-First Search (not complete, not optimal)
  - Time  $O(b^d)$ , can be infinite
  - Space  $O(bd)$
- Iterative deepening (complete, optimal)
  - Time  $O(b^d)$
  - Space  $O(bd)$

# Informed search

- Based on heuristic function  $h(x)$
- The most common
  - Hill climbing
  - Best-first search
  - $A^*$

# State Space Search Framework

begin

**OPEN** := [Start], **CLOSED** := []

while **OPEN** != [] do

    remove node **x** with the best **f(x)** value from **OPEN**

    if(**x** == goal)

        return path from **Start** to **x**

    else expand node **x** and for each child **x<sub>i</sub>**

        if(**x<sub>i</sub>** is not in **OPEN** and **CLOSED**)

**compute f(x<sub>i</sub>)**

            add **x<sub>i</sub>** to **OPEN**

        if(**x<sub>i</sub>** is in **OPEN**)

            reset value **f(x<sub>i</sub>)**, if the new is better

    add **x** to **CLOSED**

return err

# State Space Search Framework

- General algorithm
- Based on the computation of  $f(x)$  we get different method
- $f(x) = g(x)$ ,  $g(x)$  the cost from start to node  $x$ ,
- $f(x) = h(x)$ ,  $h(x)$  estimated cost from  $x$  to end,
- $f(x) = g(x) + h(x)$ , the overall estimated cost

# State Space Search Framework

- $f(x) = g(x)$  -> Uniform Cost Search (uninformed),
- $f(x) = h(x)$ , Greedy Best First Search,
- $f(x) = g(x) + h(x)$ , A\*

# Example

# Homework

- Implement A\*
- Try to do it as a general framework
  - use general concepts – state, action, node
  - it can be reused then for any other planning problem