

B4M36UIR - Lecture 08: Data Collection Planning

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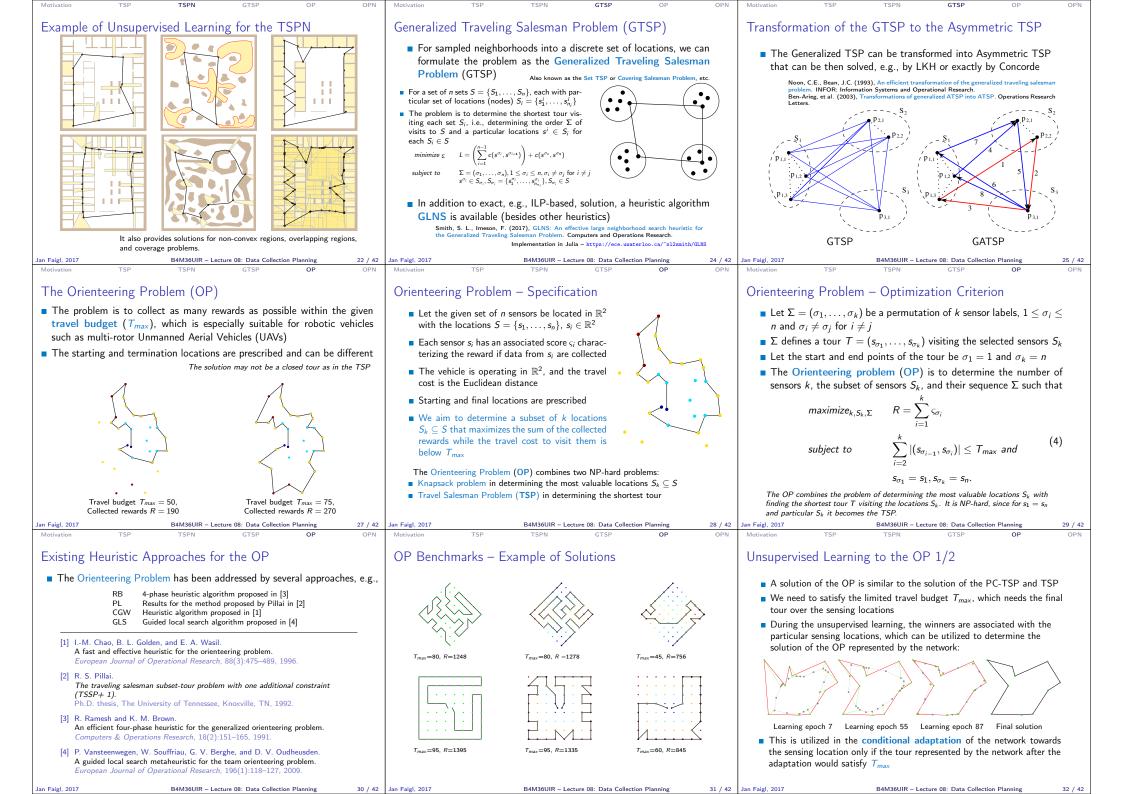
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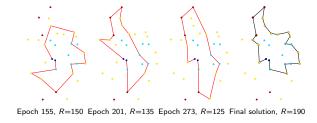




- The winner selection for $s' \in S$ is conditioned according to T_{max} • The network is adapted only if the tour T_{win} represented by the
 - current winners would shorter or equal than T_{max}

 $\mathcal{L}(T_{win}) - |(s_{\nu_p}, s_{\nu_n})| + |(s_{\nu_p}, s')| + |(s', s_{\nu_n})| \le T_{max}$

• The unsupervised learning performs a *stochastic search* steered by the rewards and the length of the tour to be below T_{max}



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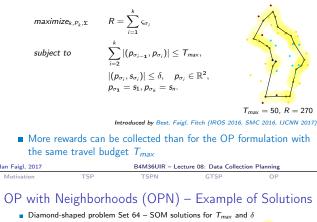
Orienteering Problem with Neighborhoods

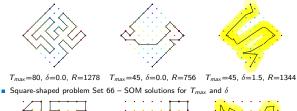
- Data collection using wireless data transfer allows to reliably retrieve data within some communication radius δ
 - Disk-shaped δ -neighborhood

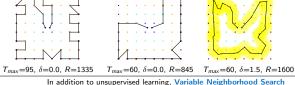
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• We need to determine the most suitable locations P_k such that







Comparison with Existing Algorithms for the OP

- Standard benchmark problems for the Orienteering Problem various scenarios with several values of T_{max}
- The results are presented as the average ratios (and standard deviations) to the best-known solution Instances of the Tsiligirides problems

Problem Set	RB	PL	CGW	Unsupervised Learning
Set 1, $5 \leq T_{max} \leq 85$	0.99/0.01	1.00/0.01	1.00/0.01	1.00/0.01
Set 2, $15 \leq T_{max} \leq 45$	1.00/0.02	0.99/0.02	0.99/0.02	0.99/0.02
Set 3, $15 \leq T_{max} \leq 110$ Viamond-shaped (Set 64) and	1.00/0.00 nd Square-sh	1.00/0.00 aped (Set 66)	1.00/0.00) test problen	
iamond-shaped (Set 64) as	,	,	,	,
	nd Square-sh	aped (Set 66)) test problen	ns Unsupervised

problems tens or hundreds of milliseconds

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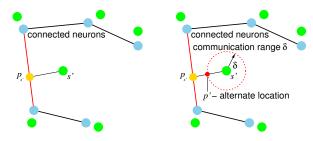
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Generalization of the Unsupervised Learning to the Orienteering Problem with Neighborhoods

TSDN

The same idea of the alternate location as in TSPN

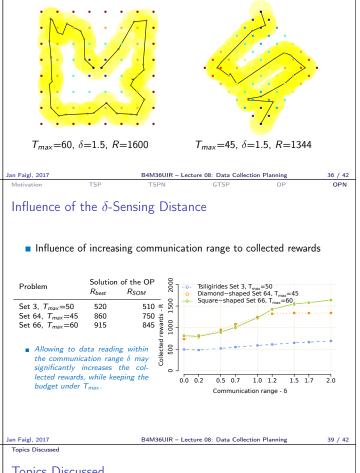


• The location p' for retrieving data from s' is determined as the alternate goal location during the conditioned winner selection

Summary of the Lecture

Orienteering Problem with Neighborhoods

Similarly to the TSP with Neighborhoods and PC-TSPN we can formulate the Orienteering Problem with Neighborhoods.



Topics Discussed

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Data Collection Planning – motivational problem and solution Prize-Collecting Traveling Salesman Problem with Neighborhoods (PC-TSPN) Traveling Salesman Problem (TSP) Approximation and heuristic approaches Traveling Salesman Problem with Neighborhoods (TSPN) Sampling-based and decoupled approaches Unsupervised learning Generalized Traveling Salesman Problem (GTSP) ■ Heuristic and transformation (GTSP→ATSP) approaches Orienteering problem (OP) Heuristic and unsupervised learning based approaches Orienteering problem with Neighborhoods (OPN) Unsupervised learning based approach

Next: Data-collection planning with curvature-constrained vehicles

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OPN

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OPN

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Topics Discus

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