

Jan Faigl, 2017

B4M36UIR - Lecture 04: Grid and Graph based Path Planning

8 / 36

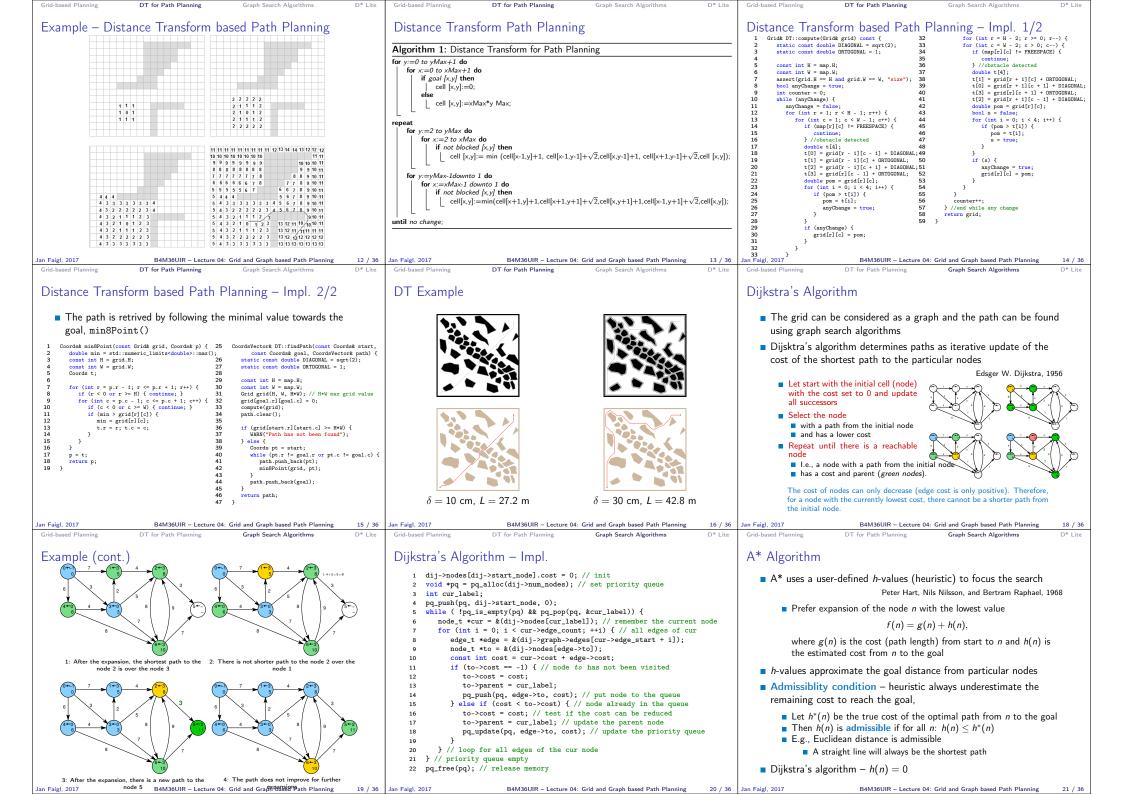
Jan Faigl, 2017

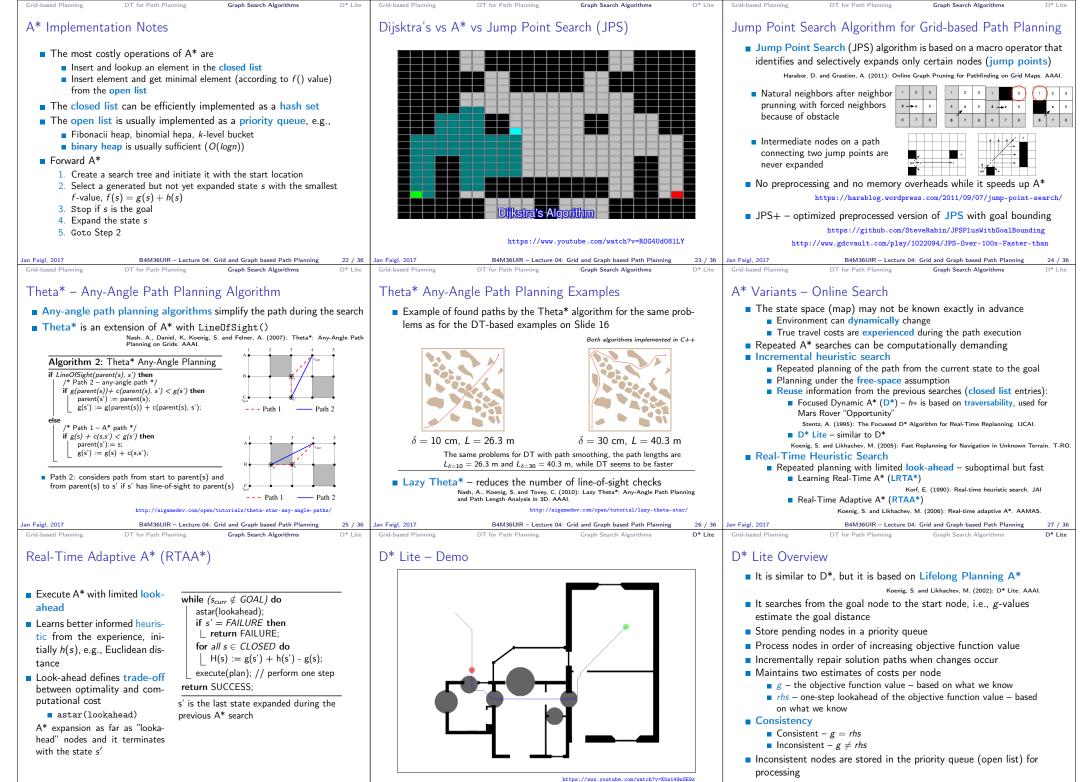
B4M36UIR - Lecture 04: Grid and Graph based Path Planning

9 / 36

Jan Faigl, 2017

B4M36UIR - Lecture 04: Grid and Graph based Path Planning 11 / 36





Jan Faigl, 2017

B4M36UIR - Lecture 04: Grid and Graph based Path Planning

28 / 36 Jan Faigl, 2017

B4M36UIR - Lecture 04: Grid and Graph based Path Planning 30 / 36

Jan Faigl, 2017

B4M36UIR - Lecture 04: Grid and Graph based Path Planning

31 / 36

Grid-based Planning DT for Path Planning Graph Search Algorithms D* Lite	Grid-based Planning DT for Path Planning Graph Search Algorithms D* Lite	Grid-based Planning DT for Path Planning Graph Search Algorithms D* Lite
D* Lite: Cost Estimates	D* Lite Algorithm	D* Lite Algorithm – ComputeShortestPath()
<ul> <li><i>rhs</i> of the node <i>u</i> is computed based on <i>g</i> of its successors in the graph and the transition costs of the edge to those successors <pre>rhs(u) = min_{s' \in Succ(u)}(c(u, s') + g(s'))</pre> </li> <li>The key/priority of a node <i>s</i> in the open list is the minimum of g(s) and rhs(s) plus a focusing heuristic h <pre>[min(g(s), rhs(s)) + h(s<sub>start</sub>, s); min(g(s), rhs(s))]</pre> </li> <li>The first term is used as the primary key <pre>The second term is used for as the secondary key for tie-breaking</pre></li></ul>	■ Repeat until the robot reaches the goal (or $g(s_{tart}) = \infty$ there is no path) $U = 0;$ foreach $s \in S$ do $rhs(s) := g(s) := \infty;$ $rhs(s_{goal} := 0;$ U.Insert( $s_{goal}$ , CalculateKey( $s_{goal}$ )); /* end initialization */: ComputeShortestPath(); while ( $s_{start} \neq s_{goal}$ ) do $\_ s_{start} = \argmin_{s' \in Succ(s_{start})}(c(s_{start}, s') + g(s'));$ Move to $s_{start};$ Scan the graph for changed edge costs; if any edge cost changed perform then foreach directed edges (u, v) with changed edge costs do $\_ Update Wetes(u);$ foreach $s \in U$ do $\_ U.Update(s, CalculateKey(s));$ ComputeShortestPath();	$\begin{array}{l} \textbf{Procedure ComputeShortestPath} \\ \textbf{while } \textit{U. TopKey()} < \textit{CalculateKey(s_{start}) OR rhs(s_{start}) \neq g(s_{start}) do} \\ u := \textit{U.Pop()}; \\ \textbf{if } g(u) > rhs(u) \ \textbf{then} \\ g(u) := rhs(u); \\ \textbf{foreach } s \in \textit{Pred}(u) \ \textbf{do} \ \textsf{UpdateVertex(s)}; \\ \textbf{else} \\ g(u) := \infty; \\ \textbf{foreach } s \in \textit{Pred}(u) \bigcup \{u\} \ \textbf{do} \ \textsf{UpdateVertex(s)}; \\ \end{array} \\ \begin{array}{l} \textbf{Procedure UpdateVertex} \\ \textbf{if } u \neq s_{goal} \ \textbf{then } rhs(u) := \min_{s' \in Succ(u)}(c(u, s') + g(s')); \\ \textbf{if } g(u) \neq rhs(u) \ \textbf{then } \ \textbf{U.Bernove}(u); \\ \textbf{if } g(u) \neq rhs(u) \ \textbf{then } \ \textbf{U.Bernove}(u); \\ \textbf{if } g(u) \neq rhs(u) \ \textbf{then } \ \textbf{U.Bernove}(s); \\ \end{array} \\ \begin{array}{l} \textbf{Procedure CalculateKey} \\ \textbf{return } [\min(g(s), rhs(s)) + h(s_{start}, s); \min(g(s), rhs(s))] \end{array} \end{array}$
Jan Faigl, 2017 B4M36UIR – Lecture 04: Grid and Graph based Path Planning 32 / 36	Jan Faigl, 2017 B4M36UIR – Lecture 04: Grid and Graph based Path Planning 33 / 36	Jan Faigl, 2017 B4M36UIR – Lecture 04: Grid and Graph based Path Planning 34 / 36
Grid-based Planning DT for Path Planning Graph Search Algorithms D* Lite	Summary of the Lecture	