Medical Imaging Magnetic Resonance Imaging, Medical Applications (Outline of Lecture 4)

### A. Static Scenes

- Brain imaging
- Tumor diagnosis
- Musculosceletal system









Spin echo imaging (see lecture 2) can be applied  $\Rightarrow$   $T_1$ - and  $T_2$ - weighted images

$$I(x,y) = \rho(x,y) \left[ 1 - \exp^{-T_R/T_1(x,y)} \right] \exp^{-T_E/T_2(x,y)}$$

MRI contrast agents can be used to increase the contrast between healthy and diseased tissue:

### Paramagnetic agents:

- "Caged" metal ions like  $Gd^{3+}$  with high magnetic moment
- Interaction between the unpaired electrons and water molecules shortens the proton  $T_1$  relaxation time.
- Often used in the diagnosis of brain disorders.

#### Ferromagnetic agents

- Ferromagnetic crystals like  $Fe_2O_3$  and  $Fe_3O_4$  mixture coated in a polymer matrix
- Shorten the proton  $T_2$  relaxation time.
- Accumulate primarily in healthy rather then pathological tissue.

р

m

4/9

### **B. Non-static Scenes**

- Lung and liver imaging
- Real time heart imaging
- Swallowing and snoring,



Fast imaging needed! If possible, apply motion compensation using e.g. a respiratory sensor.

- (1) Rapid gradient-echo imaging + 3D imaging
  - Omit  $\pi$ -pulse for refocusing and long TR-delay for  $T_1$  relaxation.
  - Omit slice selection.
  - Use two gradients for phase encoding.







Total transverse magnetization is

$$M_T(t) = e^{-i\gamma B_0 t} \iiint dx dy dz M_T(x, y, 0) \exp\left[-i\left(k_x(t)x + k_y(t)y + k_z(t)z\right)\right]$$

- (2) Echo-Planar Imaging
  - Omit  $\pi$ -pulse for refocusing and long TR-delay for  $T_1$  relaxation.
  - Use a single  $\pi/2$ -pulse followed by full k-space sampling.





C

m p

7/9



### C. Imaging flows

Angiography

- Shorten the effective  $T_1$  for blood.
- Time of flight angiography: Apply  $\pi/2$  and  $\pi$ -pulses with different frequencies.
- Phase contrast angiography: Induce phase shifts in the precessing magnetization of flowing blood.
- Contrast enhancement: Shorten  $T_1$  relaxation time of blood by application of contrast agents.



### **D.** Diffusion Imaging

Bloch equation for the transverse magnetisation in presence of (anisotropic) diffusion:

$$\dot{M}_T = -i\gamma \left[ B_0 + \vec{g}(t) \cdot \vec{r} \right] M_T + \nabla (D\nabla M_T)$$

where D denotes the diffusion tensor. This gives

$$M_T(t) = M_T(0) \exp\left[-i\vec{k}(t)\cdot\vec{r}\right] \exp\left[-\int_0^t \vec{k}(t')\cdot D\cdot\vec{k}(t')dt'\right]$$



