

**stream**

Modelica 3.2

# stream prefix

- **Only in a connector declaration**
- **Exactly one “flow” variable**
- **Equations are generated when using the `inStream()` or `actualStream()`**

# Stream Connector

**connector** FluidPort

Real p(unit="Pa") "Pressure";

**flow** Real q(unit="m<sup>3</sup>/s") "Flow into";

**stream** Real c(unit="mol/m<sup>3</sup>")

"Outflow concentration close to port";

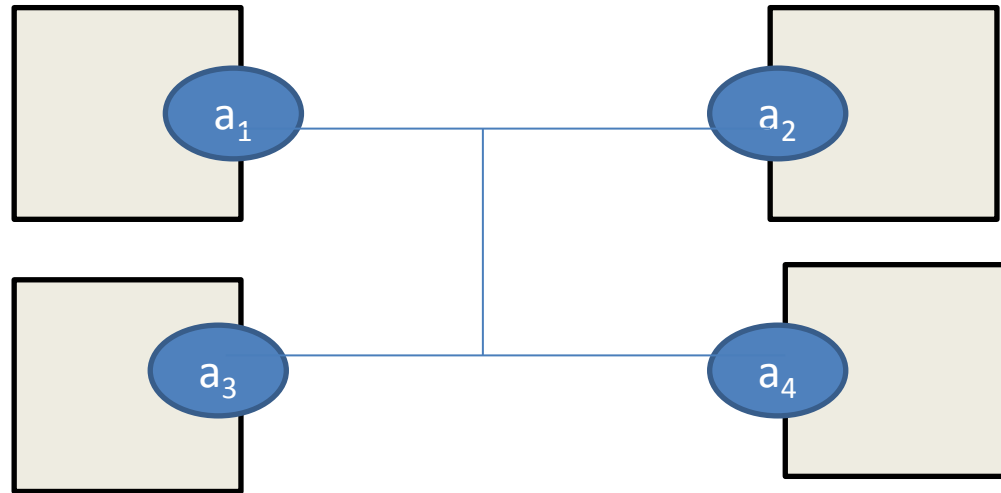
**end** FluidPort;

# inStream(a.c)

= mixed concentration in stream

- numerically reliable
- bi-directional transports
- vectorizable
- independent on **a.c** !!!

# inStream( $a_i.c$ )



$$0 = \sum_{j=0}^N a_j.q \times \begin{cases} c_{mix} & a_j.q \geq 0 \\ a_j.c & otherwise \end{cases}$$

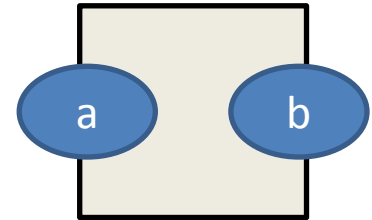
$$inStream(a_i.c) = \begin{cases} c_{mix} & a_j.q \geq 0 \\ ? & otherwise \end{cases}$$

# Simple 2-ports component

$$0 = a.q + b.q;$$

$$a.c = \text{inStream}(b.c)$$

$$b.c = \text{inStream}(a.c)$$



(Resistor, Diode, Inertia, Measurements,..)

# Resistor

$$0 = a.q + b.q;$$

$$a.c = \text{inStream}(b.c)$$

$$b.c = \text{inStream}(a.c)$$

$$a.q = (a.p - b.p) / \text{Resistance};$$



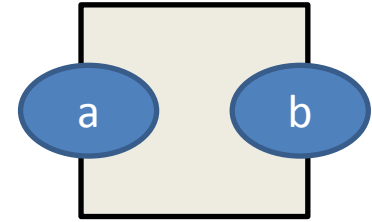
# actualStream(a.c)

$$\text{actualStream}(a.c) = \begin{cases} \text{inStream}(a.c) & a.q > 0 \\ a.c & \text{otherwise} \end{cases}$$





# ElasticCompartment



$a.p = (\text{volume} - V_0) / \text{Compliance} + \text{ExternalPressure};$

$a.p = b.p;$

$\text{der}(\text{volume}) = a.q + b.q;$

$\text{der}(\text{soluteMass}) = a.q * \text{actualStream}(a.c) +$   
 $b.q * \text{actualStream}(b.c);$

$a.c = \text{soluteMass} / \text{volume};$

$a.c = b.c;$