

# Introduction

PAH (Planning and Games)

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# Organization

- Lectures
  - Classical Planning (M.Pěchouček)
  - Planning for robotics, games, logistics (J.Vokřínek)
  - Planning with uncertainty (B.Bošanský)
- Tutorials
  - Classical Planing (M.Štolba)
  - The rest (M.Čáp)
- Assignments
  - 1: Design of a planning domain (PDDL)
  - 2: Implementation of a path planner

# State Space

- State
  - Set
  - Propositional formula
  - State variable assignment
  - ...
- Transitions
  - Operators (preconditions  $\rightarrow$  effects)
  - Function
  - ...

# State-space Search

- Search on large implicit graphs (systematic)
- Uninformed
  - Breadth-first Search (BFS)
  - Depth-first Search (DFS)
  - Iterative Deepening
- Informed (heuristic)
  - Greedy Best-first Search (BFS...)
  - $A^*$
  - $wA^*$  and other variants

# Heuristic State-space Search

- Optimal/perfect heuristic  $h^*$ 
  - Maps each state to the length of a shortest path to any goal state.
- Properties of heuristics
  - **admissible** if  $h(s) \leq h^*(s)$
  - **safe** if  $h(s) = \infty$  for all dead ends
  - **goal-aware** if  $h(s) = 0$  whenever  $s$  is goal
  - **consistent (monotonic)** if  $h(s) \leq h(s') + c$ , where  $s'$  is a successor of  $s$  via an operator of cost  $c$

# Heuristic State-space Search (contd.)

- Requirements on heuristics
  - **informative** – guides the search towards the goal
  - **admissible** – for optimal search
  - **efficient** – computed a LOT of times
  - **domain-independent** - automatically derived from the problem structure
- Commonly used methods
  - **relaxation** – solve *less constrained* version of the problem
  - **abstraction** – solve *smaller* version of the problem

# Best-first Search

1. OPEN=[init], CLOSED=[]
2. **while** OPEN != [] **do**
3.     remove node  $x$  with the best  $f(x)$  value from OPEN
4.     **if**( $x \in \text{goal}$ )
5.         return path from init to  $x$
6.     **else**
7.         expand node  $x$
8.         **for each** successor  $x_i$  of  $x$
9.             **if**( $x_i \notin \text{OPEN}$  and  $x_i \notin \text{CLOSED}$ ) add  $x$  to OPEN
10.             **if**( $x_i \in \text{OPEN}$  with worse  $f(x_i)$ ) update  $f(x_i)$
11.             **if**( $x_i \in \text{CLOSED}$  with worse  $f(x_i)$ ) reopen  $x_i$
12.     add  $x$  to CLOSED

# A\*

- $f(x) = g(x) + h(x)$
- Optimal if  $h$  is **admissible**
  - Expands the least nodes among all optimal algorithms with the same heuristic
- If  $h$  is **consistent**, does not have to reconsider nodes (line-11.)
- Variants:
  - Weighted A\* -  $f(x) = g(x) + w \cdot h(x)$  – solution at most  $w$ x longer than optimum
  - IDA\* - Iterative Deepening A\*
  - Many more...



# Example

- State:
- $\langle A|B \rangle \langle B|C \rangle \langle A|B|C|T|P \rangle$
- Init: ABA
- Goal: ??C
- Number of states: 20

