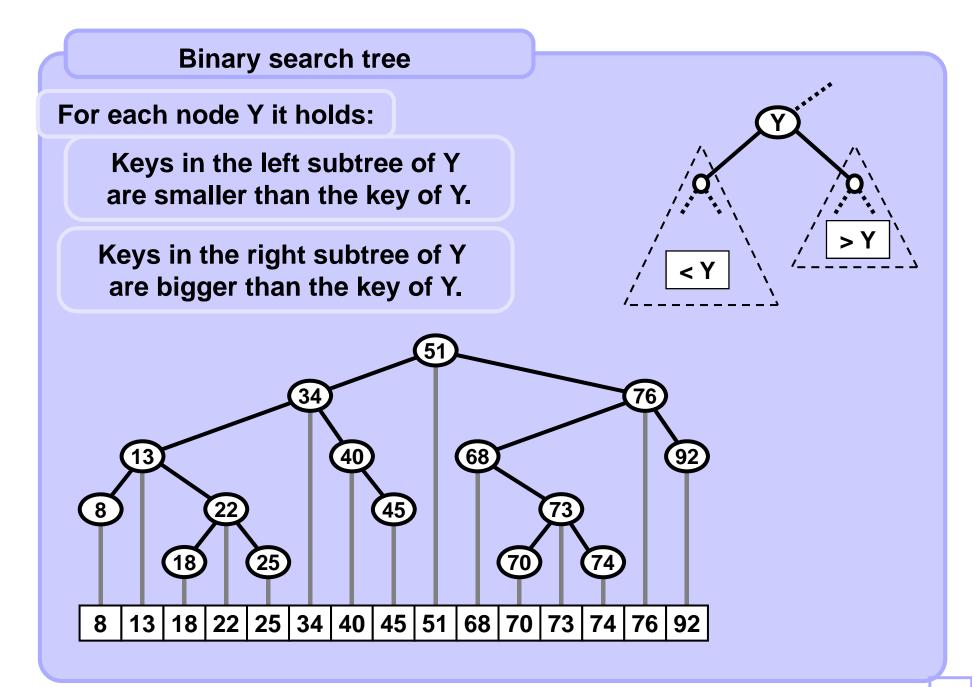
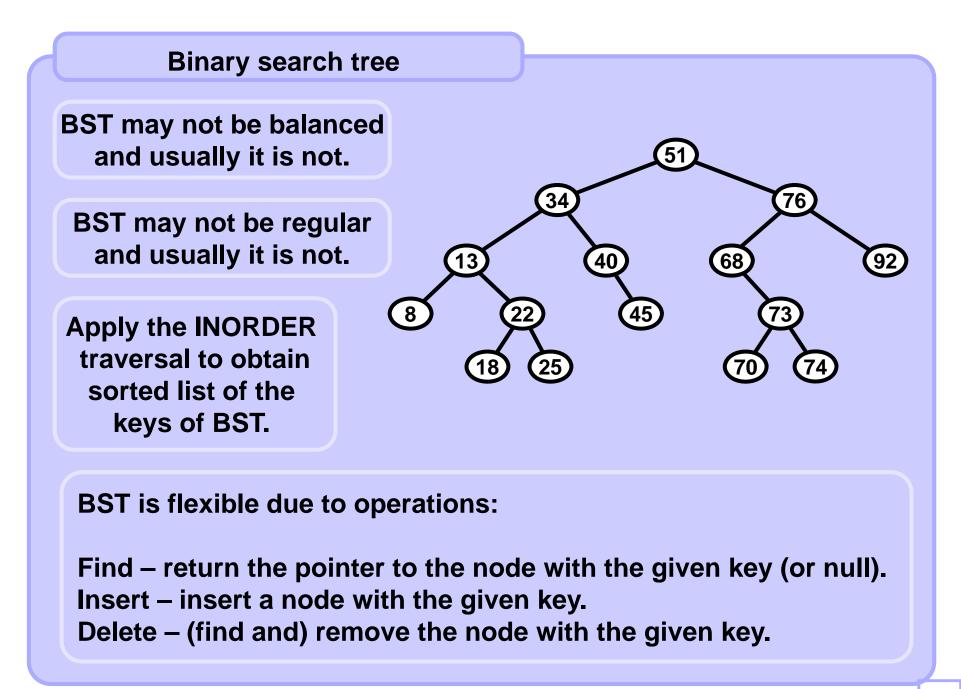
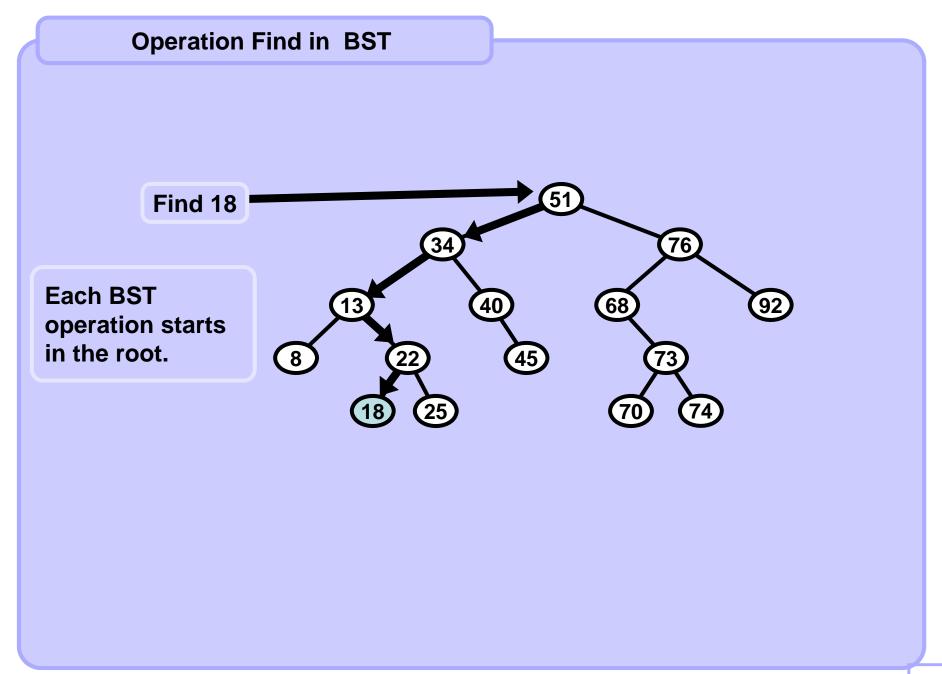
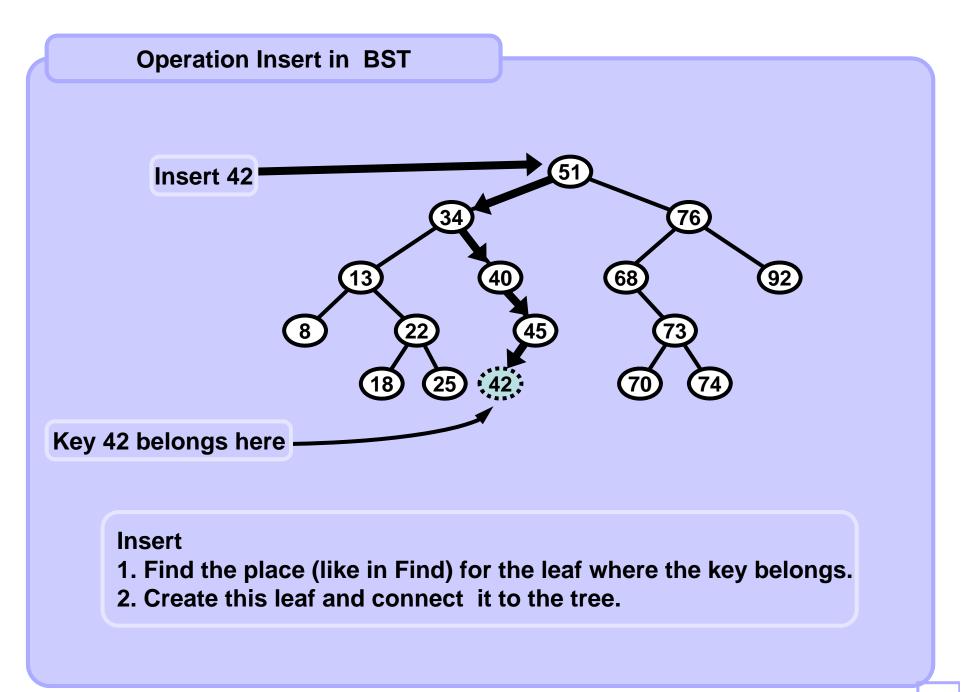
BST and AVL

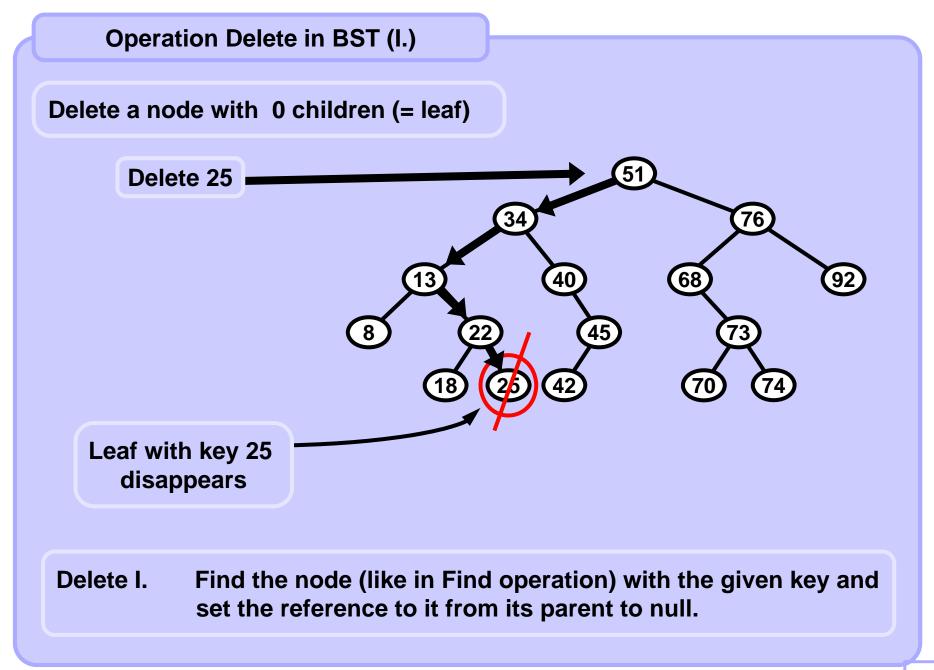
short illustrative repetition

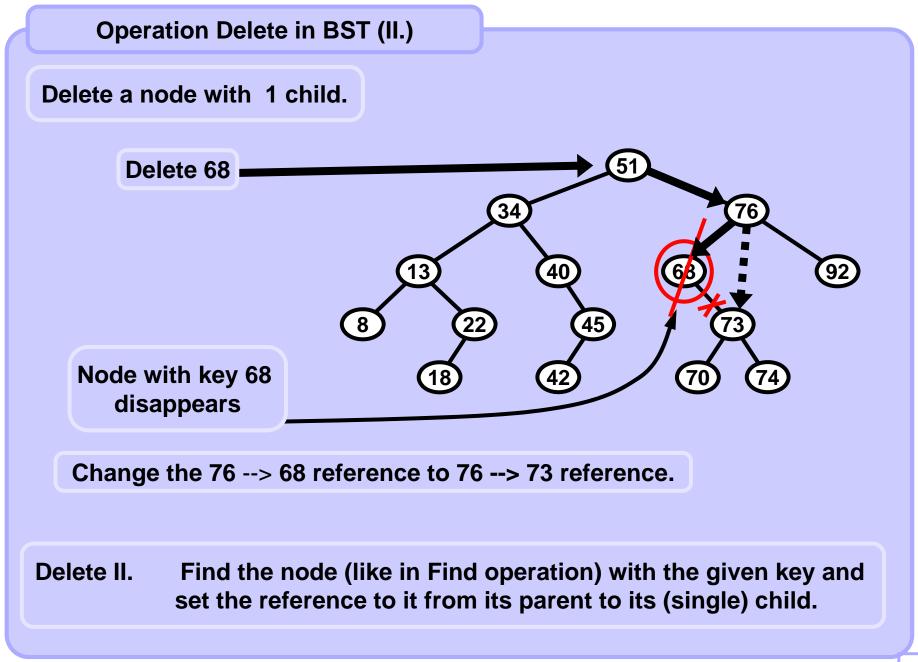


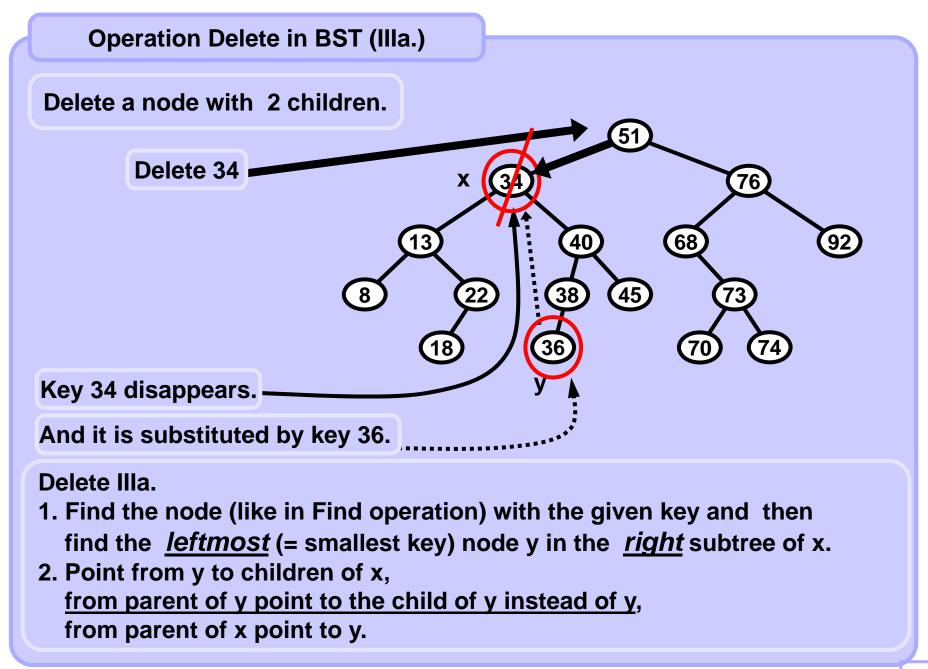


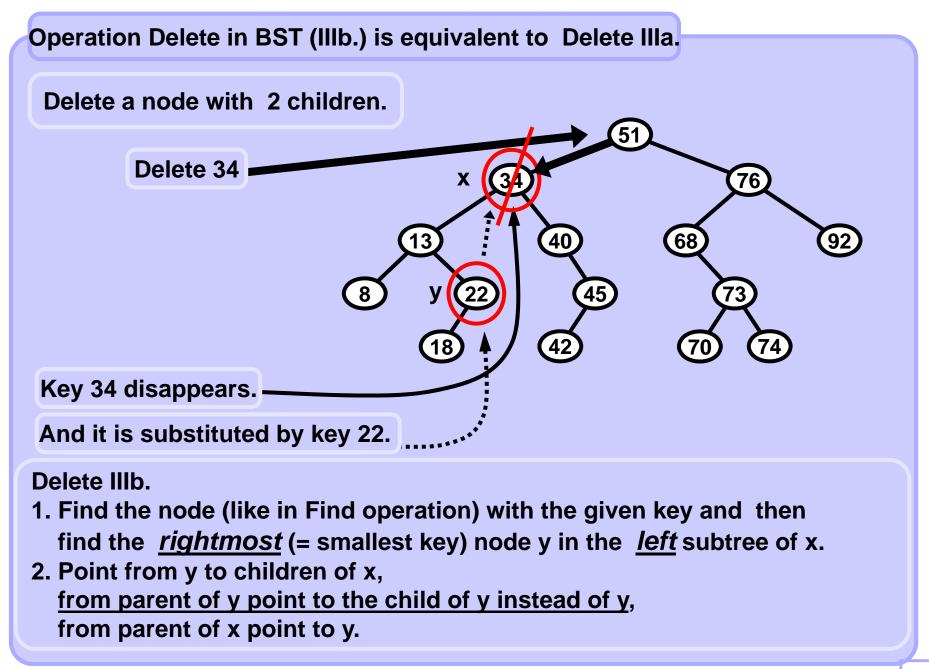


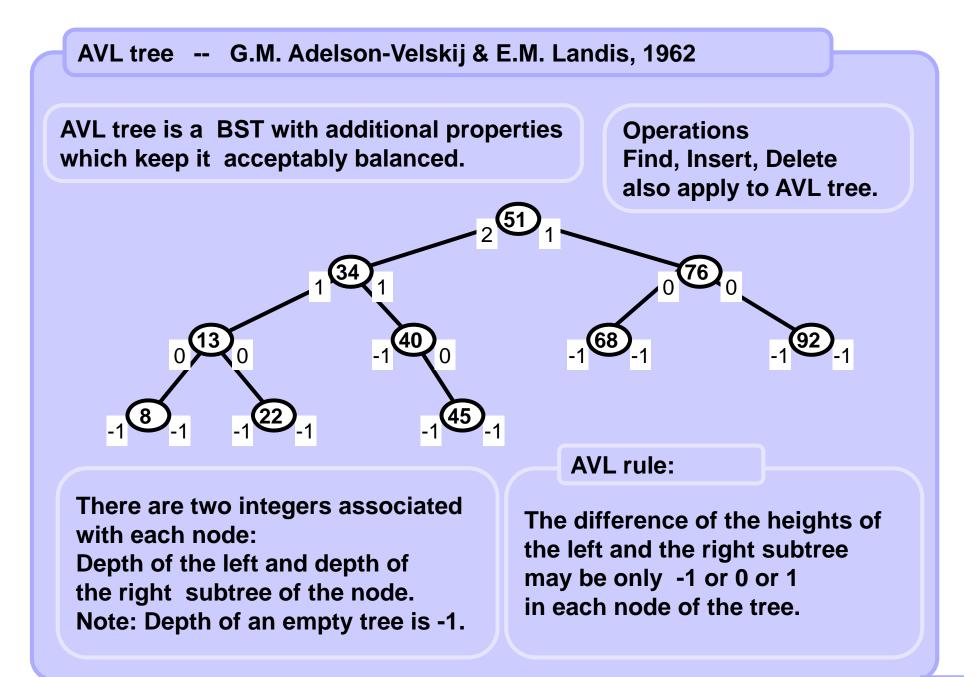


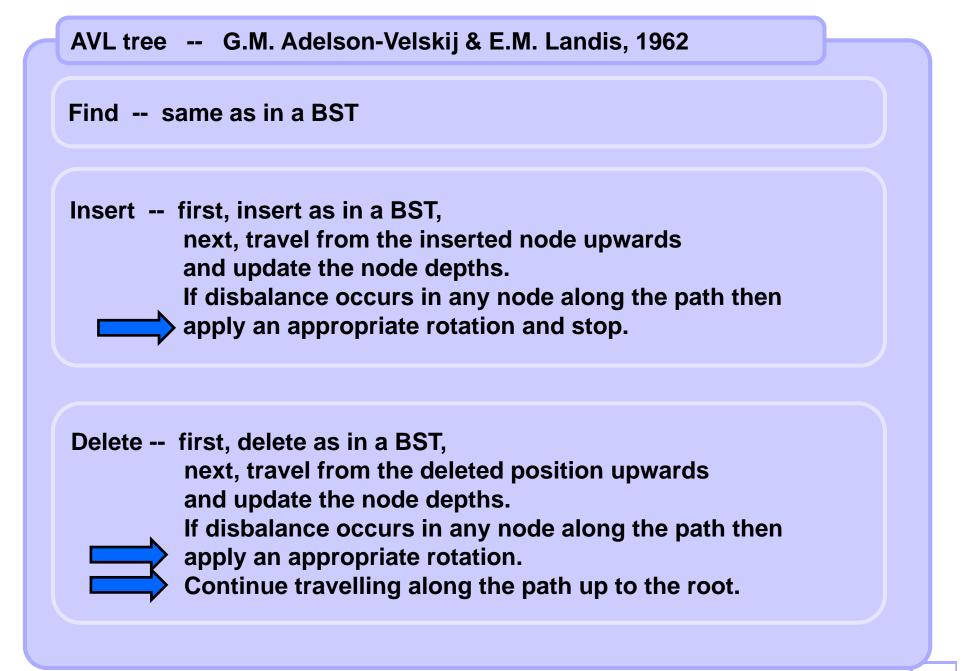


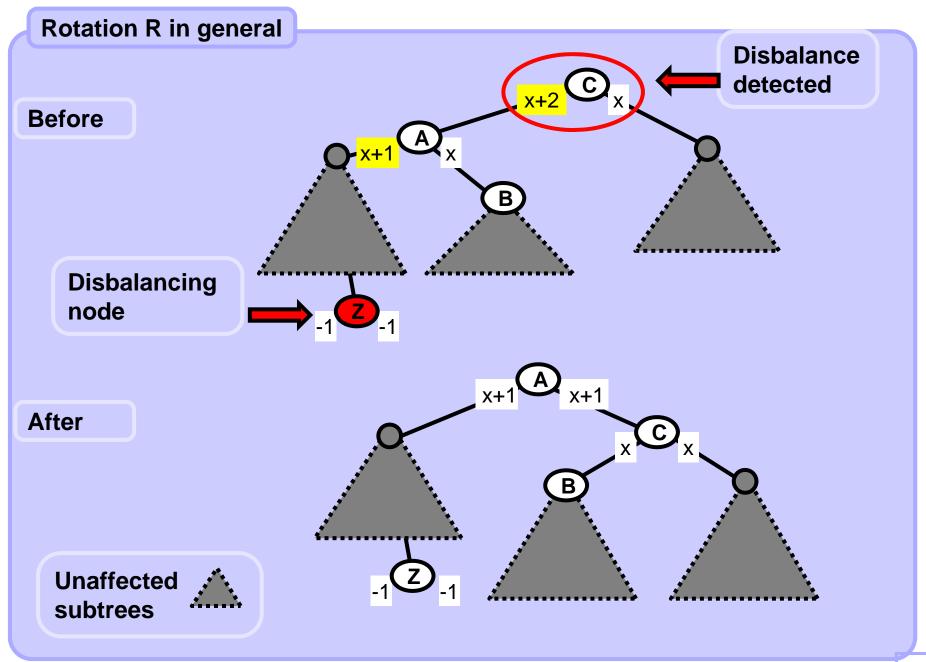


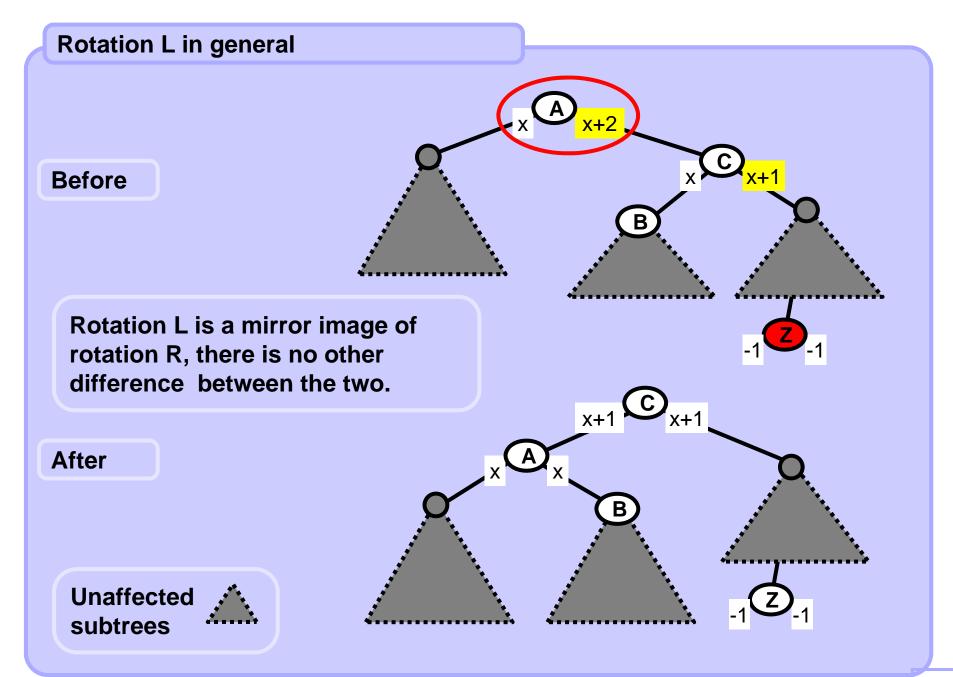


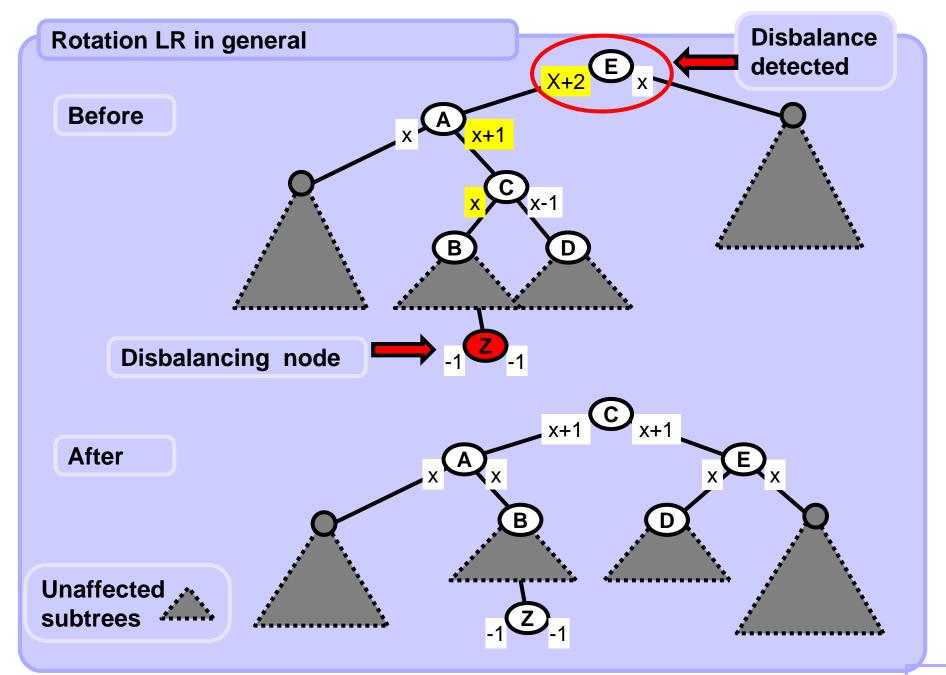


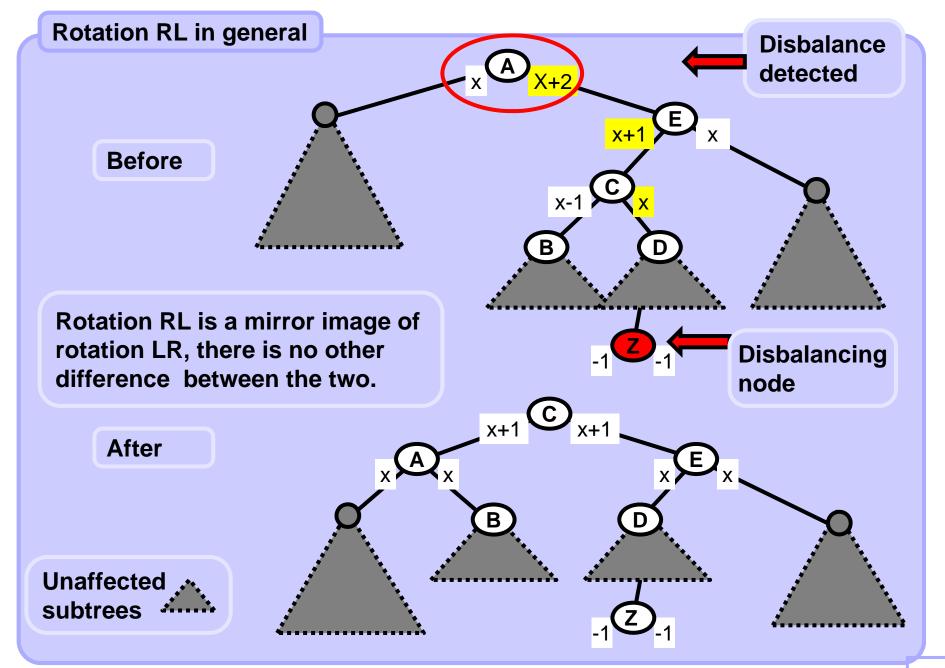












Rules for aplying rotations L, R, LR, RL in Insert operation

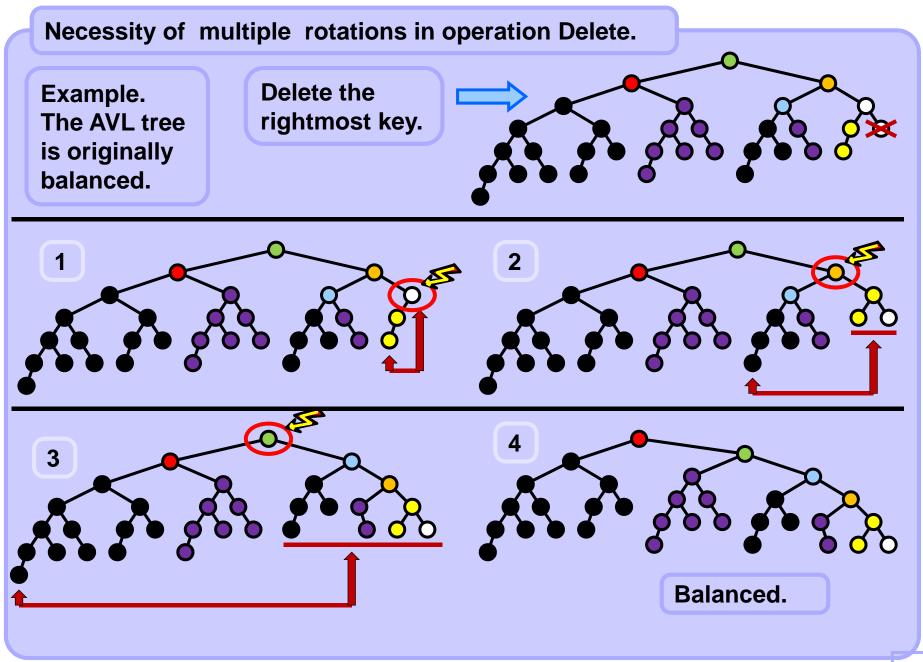
Travel from the inserted node up to the root and update the subtree depths in each node along the path.

If a node is disbalanced and you came to it along two consecutive edges

- * in the up and *right* direction perform rotation R in this node,
- * in the up and *left* direction perform rotation L in this node,
- * first in the in the up and *left* and then in the up and *right* direction perform rotation LR in this node,
- * first in the in the up and *right* and then in the up and *left* direction perform rotation RL in this node,

After one rotation in the Insert operation the AVL tree is balanced.

After one rotation in the Delete operation the AVL tree might still not be balanced, all nodes on the path to the root have to be checked.



Asymptotic complexities of Find, Insert, Delete in BST and AVL

	BST with n nodes		AVL tree with n nodes
Operation	Balanced	Maybe not balanced	Balanced
Find	O (log(n))	O (n)	O (log(n))
Insert	⊖(log(n))	O (n)	Θ(log(n))
Delete	O (log(n))	O (n)	Θ(log(n))