

ParamILS: Iterated Local Search in Parameter Configuration Space

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Substantial part of this material is based on the paper
Frank Hutter, Holger H. Hoos, Kevin Leyton-Brown, and Thomas Stützle: ParamILS: An Automatic Algorithm Configuration Framework,
Journal of Artificial Intelligence Research (JAIR),
volume 36, pp. 267-306, October 2009.
See <http://www.cs.ubc.ca/~hutter/papers/Hutter09PhD.pdf>



<http://cw.felk.cvut.cz/doku.php/courses/a0m33eoa/start>

ParamILS: Iterated Local Search in Parameter Configuration Space

Employs **Iterated Local Search** that builds a chain of local optima by iterating through a main loop consisting of:

1. a solution perturbation to escape from local optima,
2. a subsidiary local search procedure and
3. an acceptance criterion to decide whether to keep or reject a newly obtained candidate solution.

ParamILS($\theta_0, r, p_{restart}, s$)

1. uses a combination of default and random settings for initialization,
 θ_0 is the initial parameter configuration, and
 r is the number of randomly chosen configurations for initialization,
2. uses a one-exchange neighborhood (one parameter is modified in each search step),
3. employs iterative first improvement as a subsidiary local search procedure,
4. uses a fixed number, s , of random moves for perturbation,
5. always accepts better or equally-good parameter configurations,
6. re-initializes the search at random with probability $p_{restart}$.

BasicILS(N): Procedure $better_N(\theta_1, \theta_2)$

Basic variant, *BasicILS*(N), uses procedure $better(\theta_1, \theta_2)$ that compares two cost approximations $\hat{c}_N(\theta_1)$ and $\hat{c}_N(\theta_2)$ based on exactly N samples from the respective cost distributions $O_\theta(\mathcal{A}, \theta_1, \mathcal{D})$ and $O_\theta(\mathcal{A}, \theta_2, \mathcal{D})$ – the same N instances are used for all configurations θ_i .

Procedure $better_N(\theta_1, \theta_2)$ simply compares estimates $\hat{c}_N(\theta_1)$ and $\hat{c}_N(\theta_2)$ based on the same N instances using the same random seeds.

- It updates the best-so-far solution, θ_{inc} .

Input : Parameter configuration θ_1 , parameter configuration θ_2
Output : True if θ_1 does better than or equal to θ_2 on the first N instances; false otherwise
Side Effect : Adds runs to the global caches of performed algorithm runs \mathbf{R}_{θ_1} and \mathbf{R}_{θ_2} ; potentially updates the incumbent θ_{inc}

- 1 $\hat{c}_N(\theta_2) \leftarrow objective(\theta_2, N)$
- 2 $\hat{c}_N(\theta_1) \leftarrow objective(\theta_1, N)$
- 3 **return** $\hat{c}_N(\theta_1) \leq \hat{c}_N(\theta_2)$

Adaptive Capping of Algorithm Runs

Often, the search for a performance-optimizing parameter setting spends a lot of time with evaluating a parameter configuration that is much worse than other, previously-seen configurations.

Ex.: Let's assume a case where parameter configuration θ_1 takes a total of 10 seconds to solve $N = 100$ instances (i.e. it has a mean time runtime of 0.1 seconds per instance), and another parameter configuration θ_2 takes 100 seconds to solve the first of these instances.

Clearly, when comparing the mean runtimes of θ_1 and θ_2 based on this set of instances, it is not necessary to run θ_2 on remaining 99 instances. Instead, we can terminate the first run of θ_2 after $10 + \epsilon$ seconds, which is a lower bound on θ_2 's mean runtime of $0.1 + \epsilon/100$. this lower bound exceeds the mean runtime of θ_1 , so we can already be sure that θ_2 cannot do better than θ_1 .

Question is how to determine the cutoff time for each run of the target algorithm, \mathcal{A} , in an automated way?

Recommended Material

Frank Hutter, Holger H. Hoos, Kevin Leyton-Brown, and Thomas Stützle: ParamILS: An Automatic Algorithm Configuration Framework. In *Journal of Artificial Intelligence Research (JAIR)*, volume 36, pp. 267-306, October 2009.

Other papers and SW available at <http://www.cs.ubc.ca/labs/beta/Projects/ParamILS/>

