CNN segmentation: U-net

Ronneberger: U-net, MICCAI 2015

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2020

Previous segmentation strategies

- ► Sliding window
- ▶ Predict a class of the central pixel
- lacktriangle Many patches per image ightarrow not many images needed
- ► Slow
- ▶ Patch size localization accuracy vs. context

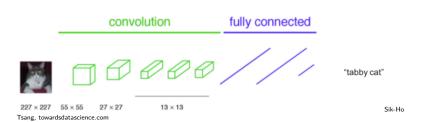
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Fully convolutional networks

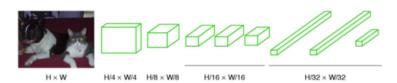
- no fully connected layers, only convolutional layers
- output a (smaller) image

Classification network

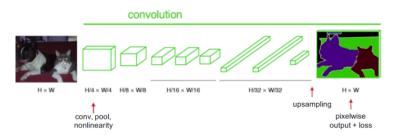


Fully convolutional network

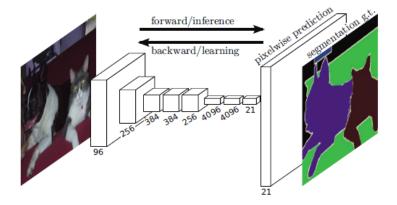
convolution



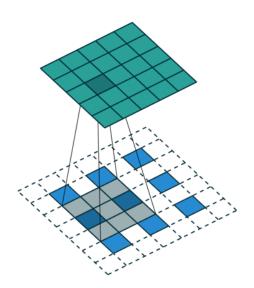
Segmentation



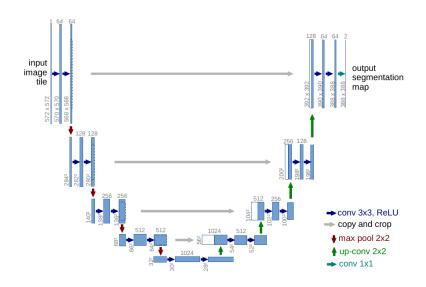
Fully convolutional structure



Upconvolution
Transposed convolution, (Deconvolution)



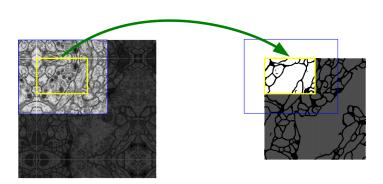
U-net structure



U-net notes

- no fully connected layers
- upsampling to get to the original resolution
- skip connections
- \triangleright small kernels (3×3)
- ▶ only fully valid convolutions, no padding→cropping
- ightharpoonup 2 imes 2max-pooling ightharpoonup fixed-size input, even size at all levels
- number of channels increase
- softmax in the final level
- "downsampling" block can be replaced
- extensive augmentation (elastic deformation)
- random weight initialization with $\sigma = \sqrt{2/N}$
- dropout

Tiling strategy



Loss function

Cross-entropy

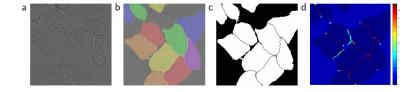
$$E = \sum_{\mathbf{x} \in \Omega} w(\mathbf{x}) \log(p_{\ell(\mathbf{x})}(\mathbf{x}))$$

The separation border is computed using morphological operations. The weight map is then computed as

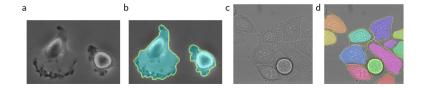
$$w(\mathbf{x}) = w_c(\mathbf{x}) + w_0 \cdot \exp\left(-\frac{(d_1(\mathbf{x}) + d_2(\mathbf{x}))^2}{2\sigma^2}\right)$$
(2)

where $w_c: \Omega \to \mathbb{R}$ is the weight map to balance the class frequencies, $d_1: \Omega \to \mathbb{R}$ denotes the distance to the border of the nearest cell and $d_2: \Omega \to \mathbb{R}$ the distance to the border of the second nearest cell. In our experiments we set $w_0 = 10$ and $\sigma \approx 5$ pixels.

Border weight example



Example segmentation



Quantitative results IoU, cell tracking challenge

| Name | PhC-U373 | DIC-HeLa |
|------------------|----------|----------|
| IMCB-SG (2014) | 0.2669 | 0.2935 |
| KTH-SE (2014) | 0.7953 | 0.4607 |
| HOUS-US (2014) | 0.5323 | - |
| second-best 2015 | 0.83 | 0.46 |
| u-net (2015) | 0.9203 | 0.7756 |