# Lecture 11: Set Operations, Data Treatment (I/O) B0B17MTB, BE0B17MTB - MATLAB 

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## Outline

1. Set Operations
2. Error Treatment
3. Data Import and Export
4. Data Types categorical and table


## Set Operations

- There exist following operations (operators) in MATLAB applicable to arrays or individual elements:
- arithmetic (part \#1),
- relational (part \#3),
- logical (part \#3),
- set (part \#11),
- bit-wise (>> doc bit-wise).
- Set operations are applicable to vectors, matrices, arrays, cells, strings, tables,...
- Mutual sizes of these structures are usually not important.

| Function | Description |
| :---: | :--- |
| intersect | intersection of two sets |
| union | union of two sets |
| setdiff | difference of two sets |
| setxor | exclusive OR of two sets |
| unique | unique values in a set |
| sort | sorting |
| sortrows | row sorting |
| ismember | is an element member of a set? |
| issorted | is a set sorted? |

## Set Operations: intersect and union

- Intersection of sets: intersect.
- Example: intersection of a matrix and a vector:

```
>> A = [1 -1; 3 4; 0 2];
>> b = [0 3 -1 5 7];
>> c = intersect (A, b)
% c = [-1; 0; 3]
```

- Union of sets: union.
- Example: All set operations can be carried out row-wise (in that case the number of columns has to be observed):

```
>>A = [1 2 3; 4 5 1; 1 7 1];
```

>>A = [1 2 3; 4 5 1; 1 7 1];
>> b = [4 5 1];
>> b = [4 5 1];
>> C = union(A, b, 'rows')
>> C = union(A, b, 'rows')
%C=[11 2 3; 1 7 1; 4 5 1]

```
%C=[11 2 3; 1 7 1; 4 5 1]
```


$\mathcal{A} \cup \mathcal{B}$


## Set Operations: setdiff and setxor

- Intersection of a set and complement of another set: setdiff.
- Example: All set operations return more than one output - we get the elements as well as the indexes:

```
>> A = [1 1; 3 NaN];
>> B = [2 3; 0 1];
>> [C, ai] = setdiff(A,B)
% C = NaN, ai = 4, i.e.: C = A(ai)
```



- Exclusive intersection (XOR): setxor.
- Example: All set operations can be carried out either as 'stable' (not changing the order of elements) or as 'sorted':

```
>> A = [\begin{array}{llll}{5}&{1}&{0}\end{array}]
>> B = [llll
>> [C, ia, ib] = setxor(A, B, 'stable')
% C = [0 4 3], ia = [3; 4], ib = [2]
```



## Set Operations: unique

- Selection of unique elements of an array: unique.
- Example: Set operations are also applicable to arrays not (exclusively) containing numbers:

```
>>A = {'Joe', 'Tom', 'Sam'};
>> B = {'Tom', 'John', 'Karl', 'Joe'};
>> C = unique([A B])
%C= {'John', 'Karl', 'Joe', 'Sam', 'Tom'}
```

- It is possible to combine all above mentioned techniques.
- Example: Row-wise listing of unique elements of a matrix including indexes:

```
>> A = round(rand (10, 3)).*mod (10:-1:1, 3)'
>> [C, ai, ci] = unique(sum(A, 2), 'rows', 'stable')
```

- Interpret the meaning of the above code? Is the rows parameter necessary?


## Set Operations I.

- Consider three vectors $\mathbf{a}, \mathbf{b}, \mathbf{c}$ containing natural numbers $x \in \mathbb{N}$ so that:
- vector a contains all primes up to (and including) 1000,
- vector $\mathbf{b}$ contains all even numbers up to (and including) 1000,
- vector $\mathbf{c}$ is complement of $\mathbf{b}$ in the same interval.
- Find vector $\mathbf{v}$ so that $\mathbf{v}=\mathbf{a} \cap(\mathbf{b}+\mathbf{c})$, and
$-\mathbf{b}+\mathbf{c} \equiv\left[b_{i}+c_{i}\right], b_{i-1}<b_{i}<b_{i+1}, c_{i-1}<c_{i}<c_{i+1}, \forall i \in\{1, \ldots, 500\}$.
- What elements does $\mathbf{v}$ contain?
- How many elements are there in $\mathbf{v}$ ?

| $\mathrm{v}=$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Columns 1 through 18 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 37 | 11 | 19 | 23 | 31 | 43 | 47 | 59 | 67 | 71 | 79 | 83 | 103 | 107 | 127 | 131 | 139 |
| Columns 19 through 36 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 151163 | 167 | 179 | 191 | 199 | 211 | 223 | 227 | 239 | 251 | 263 | 271 | 283 | 307 | 311 | 331 | 347 |
| Columns 37 through 54 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 359367 | 379 | 383 | 419 | 431 | 439 | 443 | 463 | 467 | 479 | 487 | 491 | 499 | 503 | 523 | 547 | 563 |
| Columns 55 through 72 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 571587 | 599 | 607 | 619 | 631 | 643 | 647 | 659 | 683 | 691 | 719 | 727 | 739 | 743 | 751 | 787 | 811 |
| Columns 73 through 87 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 823827 | 839 | 859 | 863 | 883 | 887 | 907 | 911 | 919 | 947 | 967 | 971 | 983 | 991 |  |  |  |
| ans $=$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 87 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

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- What elements does $\mathbf{v}$ contain?
- How many elements are there in $\mathbf{v}$ ?



## Set Operations II.a

- Estimate the result of the following operation (and verify using MATLAB):

$$
\mathbf{w}=(\mathbf{b} \cup \mathbf{c}) \backslash \mathbf{a} .
$$

- What is specific about elements of the resulting vector $\mathbf{w}$ ?
- With the help of logical indexing and mathematical functions determine how many elements of $\mathbf{w}$ are divisible by 3 .


## Set Operations II.a

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## Set Operations II.b

- Write previous exercise as a script:

```
%% script depicts number of integers from 1 to 1000 in
% dependence on division remainders
clear; clc;
N = 1000;
a = primes(N);
b = 2:2:N;
c = setdiff(1:N, b);
w = setdiff(union(b, c), a);
% ...
    m}=\operatorname{sum}(\operatorname{not}(\operatorname{mod}(w,3)))
% .
```

- Modify the script in the way to calculate how many elements of $\mathbf{w}$ are divisible by numbers 1 to 20.
- Use for instance for loop to get the result.
- Plot the results using bar function.


## Set Operations II.c



## Set Operations III.a

- Radio relay link operates at frequency of 80 GHz at 20 km distance with $64-\mathrm{QAM}$ modulation.
- Phase stability of $\pm 0.5^{\circ}$ is required for sufficiently low bit error rate without using synchronization and coding.
- That corresponds to the change of distance between antennas equal to $\pm 5 \mu \mathrm{~m}$.
- The statistics of link distance with normal distribution containing $10^{6}$ elements can be generated as:

```
L = 20e3; % length of path
deviation = 5e-6; % standard deviation
N = 1e6; % number of trials
distances = L + randn(1, N) *deviation; % random distances
```

- How many times is the distance $L$ contained in the vector distances?
- How many unique elements are there in distances?
- Can the distribution be considered continuous?


## Catching Errors I.

- Used particularly in the cases where unexpected event can occur:
- in general operations with files (reading, saving),
- evaluation of encapsulated code (function eval, assignin),
- working with variables, properties of which (e.g., size) is not yet known,
- evaluation of code related to an object that may not exist anymore (GUI).

```
try
    % regular piece of code
catch
    % code that is evaluated if the regular code failed
end
```

- It is possible (and is recommended) to use an identifier of the error.


## Catching Errors II.

- Error identifier can be used to decide what to do with the error.
- Example: In the case of multiplication error caused by different size of vectors, it is possible to display a warning.
- Also, the error can be later raised again either by evoking the last error occurred or as a new error with its own identifier.

```
try
    A = [llll
    B = [ll 1];
    C = A.*B;
catch exc
    if strcmp(exc.identifier, 'MATLAB:dimagree')
        disp('Mind the vector size!');
    end
    % throw(exc); % local stack shown
    % rethrow(exc); % complete stack shown
end
```


## Warning Message in MATLAB

- Warning message in MATLAB is displayed using function warning.

```
a = 1e3;
if a > 1e2
    warning('Input coefficient has to be smaller than 10!');
end
```

- The function is used by MATLAB, therefore, it is possible to temporarily deactivate selected internal warnings.
- Function lastwarn returns last warning activated.
- It is advantageous to use function warndlg with GUI (it just show a window, not throws the warning).

```
f = warndlg('This is a notice..', ...
    'Trial warning', 'modal');
```

| A Trial warning | - | $\times$ |
| :---: | :---: | :---: |
| A. |  |  |
| This is a notice... |  |  |
|  | OK |  |

## Error Message in MATLAB

- Error message (in red color) is displayed using function error.

```
a = 100;
if a > 10
    error('Input has to be equal of smaller than 10!');
end
```

- Terminates program execution.
- Identifier can be attached.
- It is advantageous to use function errordlg with GUI (it just show a window, not throws the error).

```
f = errordlg('An error occurred there and there..',
. . .
    'Error message', 'modal');
```

4. Error message
(I)

An error occurred there and there.

## Launching External Programs

- Rarely used.
- External programs are launched using the exclamation mark (!).
- The whole line after the "!" is processed as operation system command:

```
>> !calc
```

- If you don't want to interrupt execution of Matlab by the launch, add "\&":

```
>> !calc &
>> !notepad notes.txt &
```

- It is possible to run Matlab with several ways:

```
>> doc matlab Windows
>> doc matlab UNIX
```


## Data Import and Export I.

- Matlab supports wide range of file formats:
- e.g., mat, txt, xls, jpeg, bmp, png, wav, avi, and others,
- for details see MATLAB $\rightarrow$ Data Import and Analysis $\rightarrow$ Data Import and Export $\rightarrow$ Supported File Formats for Import and Export.
- Packages exist for work with, for instance, dwg and similar formats.
- It is possible to read a general file containing ASCII characters as well.
- In this course we shall see how to:
- read data from file, read image, read files line by line (see Lecture 6),
- store in file, write in file,
- import from Excel,
- export to Excel.


## Data Import and Export II.

- Following can be applied to whole group of formats:
- Home $\rightarrow$ Import Data,
- command uiimport and proceed with a following interface,
- file drag and drop to MATLAB Workspace window.
- For storing in various formats see following functions.
- save, dlmwrite, xlswrite, imwrite, audiowrite,...



## Functions cd, pwd, dir

- Function cd changes current folder:

```
cd FD % jumps into FD folder
cd % lists current folder
cd .. % jumps up one directory
cd \ % jumps up to root
```

- Function pwd identifies current folder.
- Function dir lists current folder content.
- For other functions (mkdir, rmdir, ...) see MATLAB Documentation.


## Completion/Parsing of File Paths: fullfile, fileparts

- Build full file name from parts with function fullfile,
- i.e., insert automatically correct separator (Windows: $\backslash \backslash$, Unix: /).
- Use whenever you work with paths.
- To get the correct separator for current platform use function filesep.
- Parse full path into file path, file name, and extension with function fileparts.

```
myPath = {'Data', 'Corrected'};
myFile = 'measuredData';
myExt = '.mat';
f = fullfile(myPath{:}, [myFile myExt])
[myPath2, myFile2, myExt2] = fileparts(f)
```

```
f =
    'Data\Corrected\measuredData.mat'
myPath2 =
    'Data\Corrected'
myFile2 =
    'measuredData'
myExt2 =
    '.mat'
>>
```


## Import from Excel

- Use function xlsread to import into Excel.
- Alternatively, use aforementioned function uiimport.



## Import from Excel

- Read all numerical data from Excel file measurement1.xlsx on course's webpage.
- Thereafter, plot dependence of values in column values on values in column experiment.
- Verify the size of data read.



## Export to Excel

- Function xlswrite is used to export data from MATLAB to Excel.
- Example: Write data fx in file file.xlsx in sheet Sheet 1 in line 1 starting with column A.

```
fx = 1:10;
xlswrite('file.xlsx', fx, 1, 'A1');
```

- Example: Write data fx in file file2.xlsx in sheet NewSheet in column B starting with line 1.

```
fx = 1:10;
xlswrite('file2.xlsx', fx', 'NewSheet', 'B1');
```


## Export to Excel

- Evaluate function

$$
f(x)=\cos (x)+\frac{\cosh (x)}{10}
$$

on the interval $x \in[-\pi, \pi]$ with step 0.01 .

- Resulting variables $x$ and $f(x)$ write to file Excel_file.xlsx in the 1st sheet, variable $x$ is in column A, variable $f(x)$ is in column B.
- Verify whether data written in the sheet are correct.


## Saving and Loading Binary Data (Reminder)

- Numerical data can be saved en block:
- Notice the vector transposition.
- tsv extension here because of TikZ.
- Load binary data from file line by line:
- Save binary data into file line by line:
- See also: Lecture 6.

```
x = 0:0.01:2*pi;
fx = sin(x) .* cos(x).^2 + x.^(1/3);
Data = [x.' fx.'];
save('myData.tsv', 'Data', '-ascii');
```

```
```

fid = fopen('myData.tsv');

```
```

fid = fopen('myData.tsv');
while ~feof(fid)
while ~feof(fid)
thisLine = fgetl(fid) % your data...
thisLine = fgetl(fid) % your data...
end
end
fclose(fid);

```
fclose(fid);
```

```
fid = fopen('myData2.txt', 'w+');
```

fid = fopen('myData2.txt', 'w+');

```
fid = fopen('myData2.txt', 'w+');
```

fid = fopen('myData2.txt', 'w+');
Data = {'this if the first line', ...
Data = {'this if the first line', ...
Data = {'this if the first line', ...
Data = {'this if the first line', ...
'this is the second line'};
'this is the second line'};
'this is the second line'};
'this is the second line'};
for iLine = 1:length(Data)
for iLine = 1:length(Data)
for iLine = 1:length(Data)
for iLine = 1:length(Data)
fprintf(fid, '%s\n', Data{iLine});
fprintf(fid, '%s\n', Data{iLine});
fprintf(fid, '%s\n', Data{iLine});
fprintf(fid, '%s\n', Data{iLine});
end
end
end
end
fclose(fid);

```
```

fclose(fid);

```
```

fclose(fid);

```
```

fclose(fid);

```
```


## Data Type categorical

- Array of qualitative data with values from finite set of discrete non-numerical data.
- Array of non-numerical values corresponding to a category (e.g., to the category "mean of transport" correspond following values: scooter, wheelbarrow, ...).
- Values can be specified by name (e.g., values 'r', 'g', 'b', they can be an attribute for name 'red', 'green', 'blue').
- categorical arrays has its own icon in MATLAB Workspace.

| Workspace |  |
| :--- | :--- |
| Name $\sim$ | Value |
| $\{3$ | A |

## Creation of categorical Arrays

- Creation of categorical array from an arbitrary array of values (e.g., cell array of strings):

```
A = {'r' 'b' 'g'; ...
    'g' 'r' 'b'; ...
    'b' 'r' 'g'} % cell array of strings
B = categorical(A) % categorical arrays
categories(B) % listing of individual categories
```

| ${ }^{\text {a }}=$ |  |  |
| :---: | :---: | :---: |
| ${ }^{3 \times 3}$ cell array |  |  |
| ('r') | ('b') | \{'g') |
| ('g') | ('r') | ('b) |
| ('b') | \{'x'\} | \{'g'\} |
| $\mathrm{B}=$ |  |  |
| ${ }^{3 \times 3}$ categorical array |  |  |
| r | b ${ }^{\text {g }}$ | g |
|  | $\stackrel{r}{\text { r }}$ |  |
|  | = 9 | ${ }^{\text {g }}$ |
| ans = |  |  |
| ${ }^{3 \times 1}$ cell array |  |  |
| ('b') |  |  |
| $\left\{\begin{array}{l} \prime \prime \\ \left\{g^{\prime}\right\} \end{array}\right\}$ |  |  |

## Advantages of categorical Arrays

- More natural arranging of data by names.
- Note: as in numerical arrays, logical operator eq ( $==$ ) is used to compare strings in categorical arrays instead of function strcmp () used with strings.
- Mathematical arranging of strings.
- Setting "size" in other than alphabetical manner (e.g., small < medium < large):

```
allSizes = {'medium','large','small',...
    'small','medium','large',...
    'medium','small'};
valueset = {'small','medium','large'};
sizeOrd = categorical(allSizes, valueset, 'Ordinal', true);
comparison = sizeOrd > fliplr(sizeOrd)
```

- Memory is used efficiently to store data.
- Data in memory is not stored as string.
- Only categories are stored as string in memory.


## Data Type table

- Array in form of a table that enables to have columns of various data types and sizes (similar to cell array).
- Each column has to have the same number of lines (same as matrix).
- Tables have its own icon in MATLAB Workspace.
- For more see doc >> table.

| Workspace |  |
| :---: | :---: |
| Name - | Value |
| \# T | 4×2 table |

## Creation of table

- Created by inserting individual vectors as columns of the table:

```
name = {'Miloslav'; 'Viktor'; 'Michal'; 'Vit'};
matlabSemester = [3; 3; 2; 1];
favoriteDrink = categorical({'b'; 'm'; 'w'; 'w'}, ...
    {'w'; 'm'; 'b'}, ...
    {'wine'; 'milk'; 'beer'});
T = table(matlabSemester, favoriteDrink, 'RowNames', name)
```

| Miloslav | 3 | beer |
| :--- | :--- | :--- |
| Viktor | 3 | milk |
| Michal | 2 | wine |
| Vit | 1 | wine |

## Advantages of table

- Well-structured data,
- access to data via numerical and name indexing,
- e.g., listing all "Smiths" in the table and display their "age",
- possibility to store metadata in table's properties,
- e.g., for column "age" it is possible to set unit to "year".


## Questions?

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