

# Cybernetics and Artificial Intelligence

## Introduction into the course

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# Admin, rules of the game

- 2+2+5+(~35) - weekly: 2 hours lectures, 2 computer labs, 5 individual work (reading, coding), ~35 wrapping up - preparing for exam. Intensive term work may save time at the end
- <https://cw.fel.cvut.cz/wiki/courses/be5b33kui/start>
  - program
  - grading
  - literature ...

# literature, resources

- we recommend a few
- on-line materials abundant - you can find by yourself, responsibility is (always) yours
- ask us if unsure
- we appreciate you recommend new ones

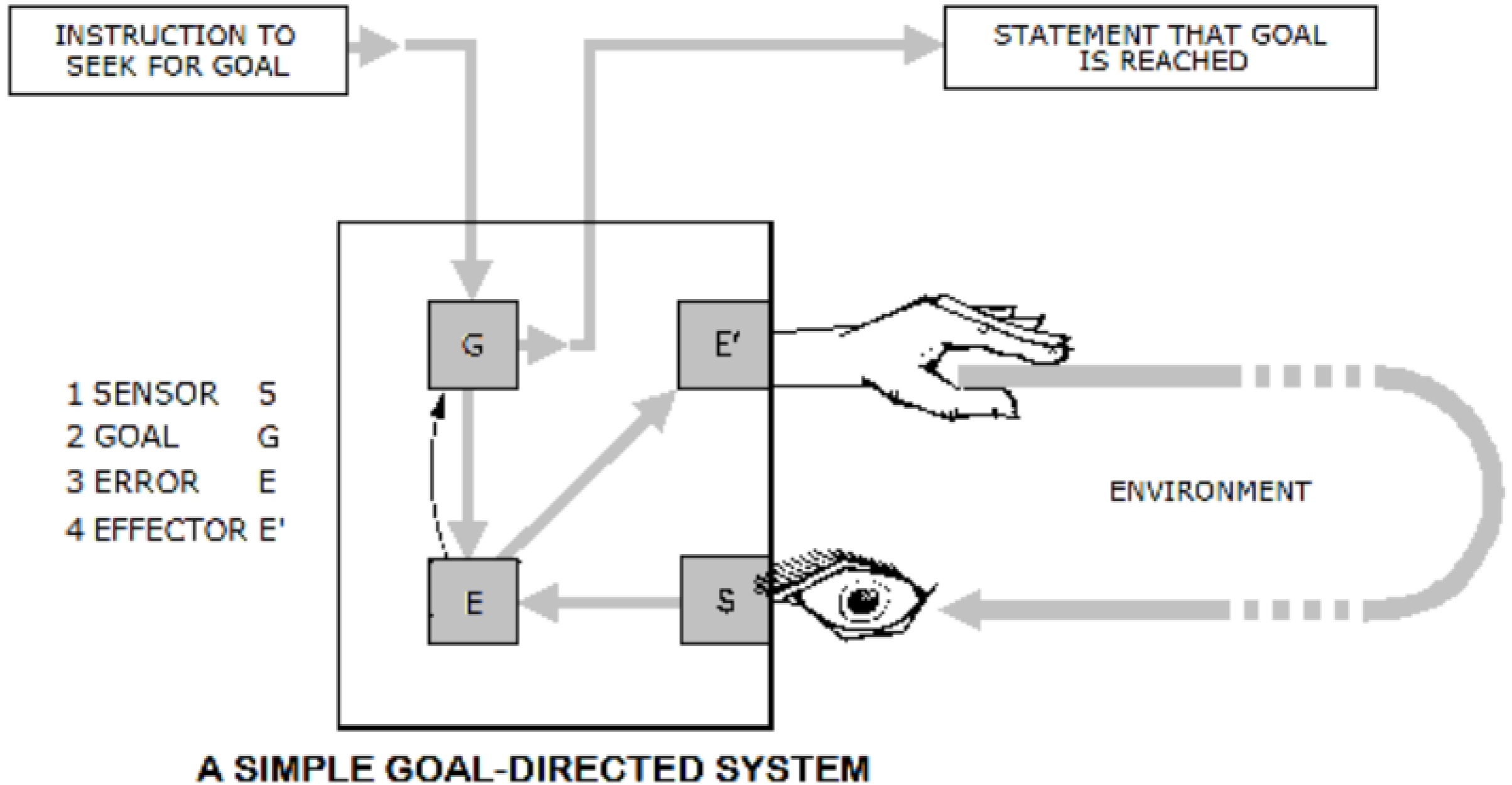
# cybernetics and AI

- Norbert Wiener (1948). *Cybernetics: Or Control and Communication in the Animal and the Machine*.
- William Grey Walter (1949). Building autonomous robots as an aid to study animal behavior.
- William Ross Ashby (1956). *An introduction to cybernetics*.
- then development continued but different names/wording on the two sides of “iron curtain”.
- Pask, Gordon (1972). "Cybernetics". *Encyclopædia Britannica*.

# Grey Walter's tortoises



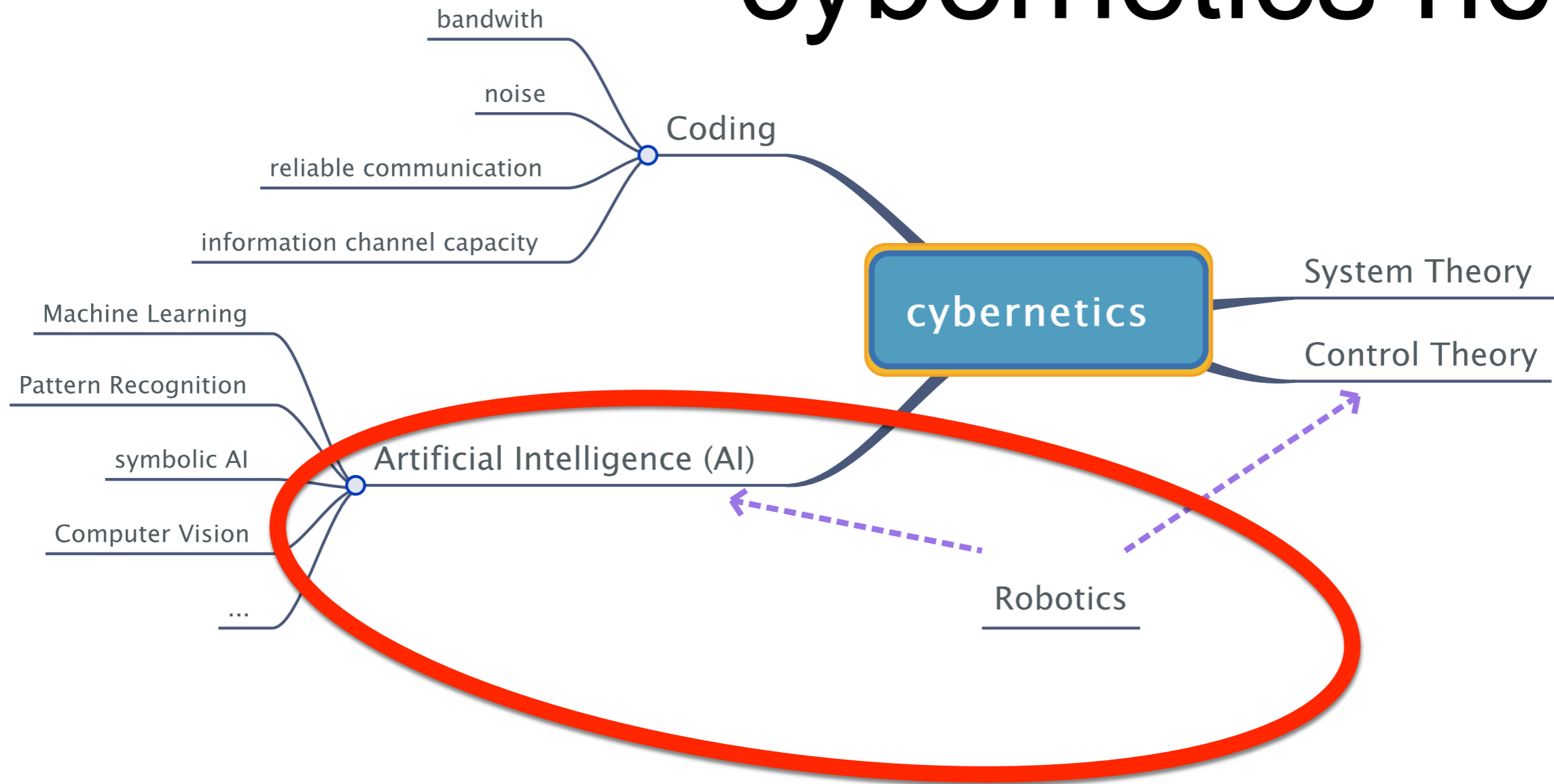
# goal-directed system



# 2<sup>nd</sup> order cybernetics

- Heinz von Foerster (1968-1975)
  - Cybernetics of “observing systems” rather than “observed systems”
- Biology: Humberto Maturana and Francisco Varela influenced by cybernetic concepts
  - “autopoiesis” – self-generating, self-maintaining structure in living systems

# cybernetics now



- our motivation from (intelligent) robotics
- yet basic concepts from cybernetics
- modern terminology will be used



# problem: machine control in unstructured environment



# (our) pictures of the game



# essentials - course content

- solving problems by search
- sequential decisions under uncertainty - how to search when actions are unreliable, but known
- reinforcement learning - learning from final successes and failures
- essentials from machine learning - bayesian decisions, classifiers, ...

# search, ..., and beyond



# Someone is playing against us

The screenshot shows a Reversi game window titled "Reversi". The board is an 8x8 grid with blue and red stones. The interface includes player settings, current stone counts, max time, final score, game speed, and a replay button.

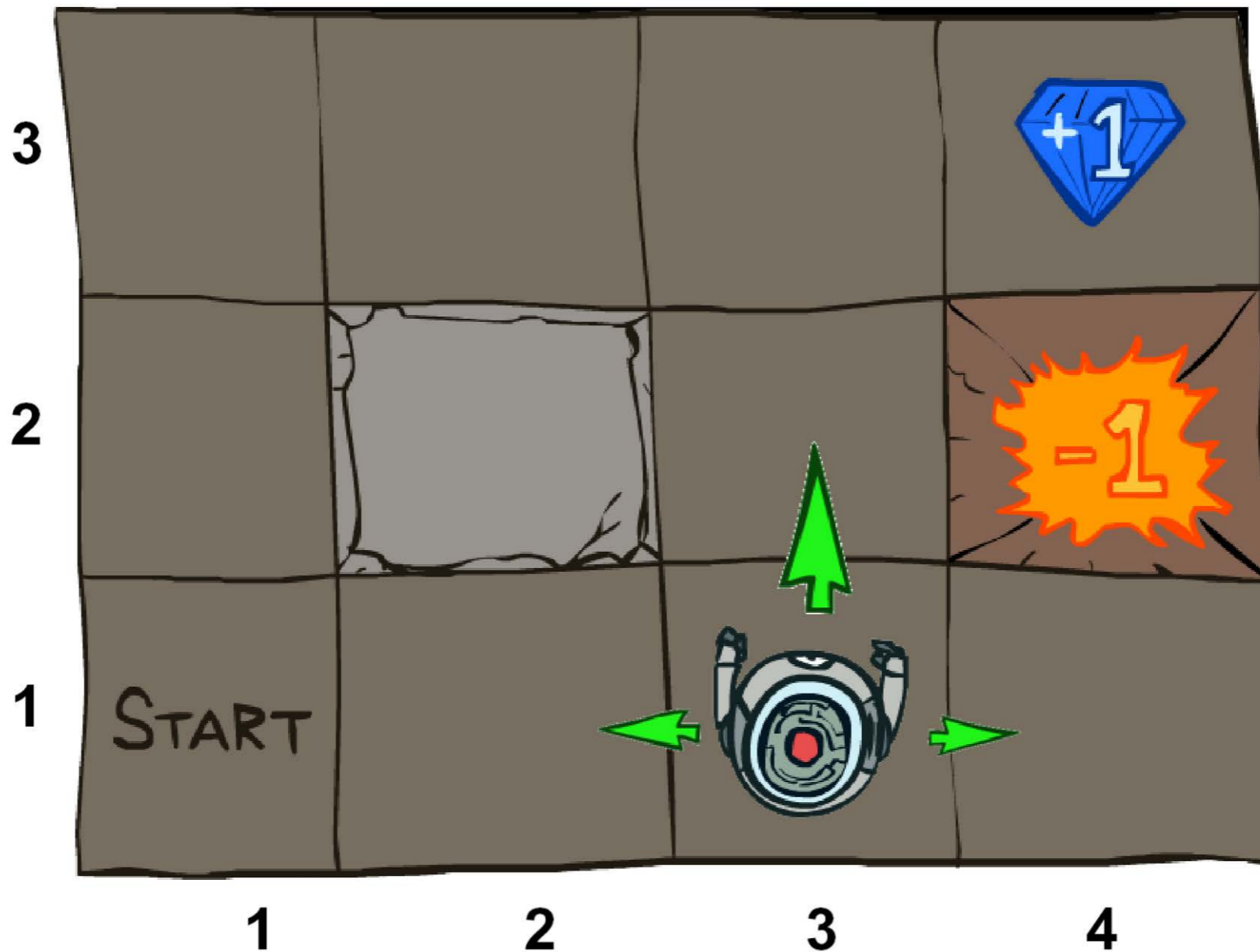
Player	Algorithm	Current stones	Max time
Player0	heuristic	36	25.94 [ms]
Player1	greedy	28	1.27 [ms]

Final score: Player0:Player1 [36:28]  
Player 0 wins!

Game speed [ms]: 0

RePlay

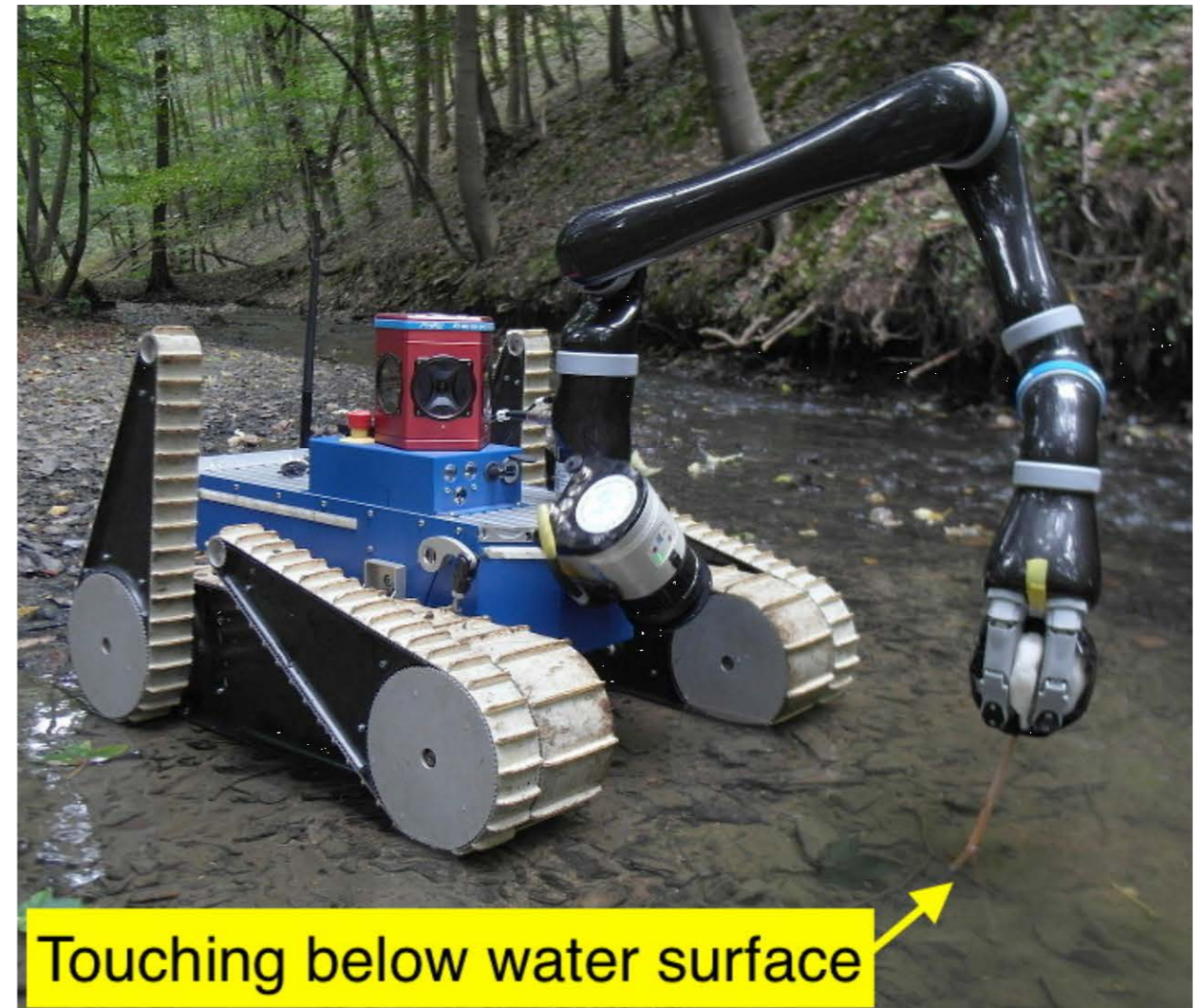
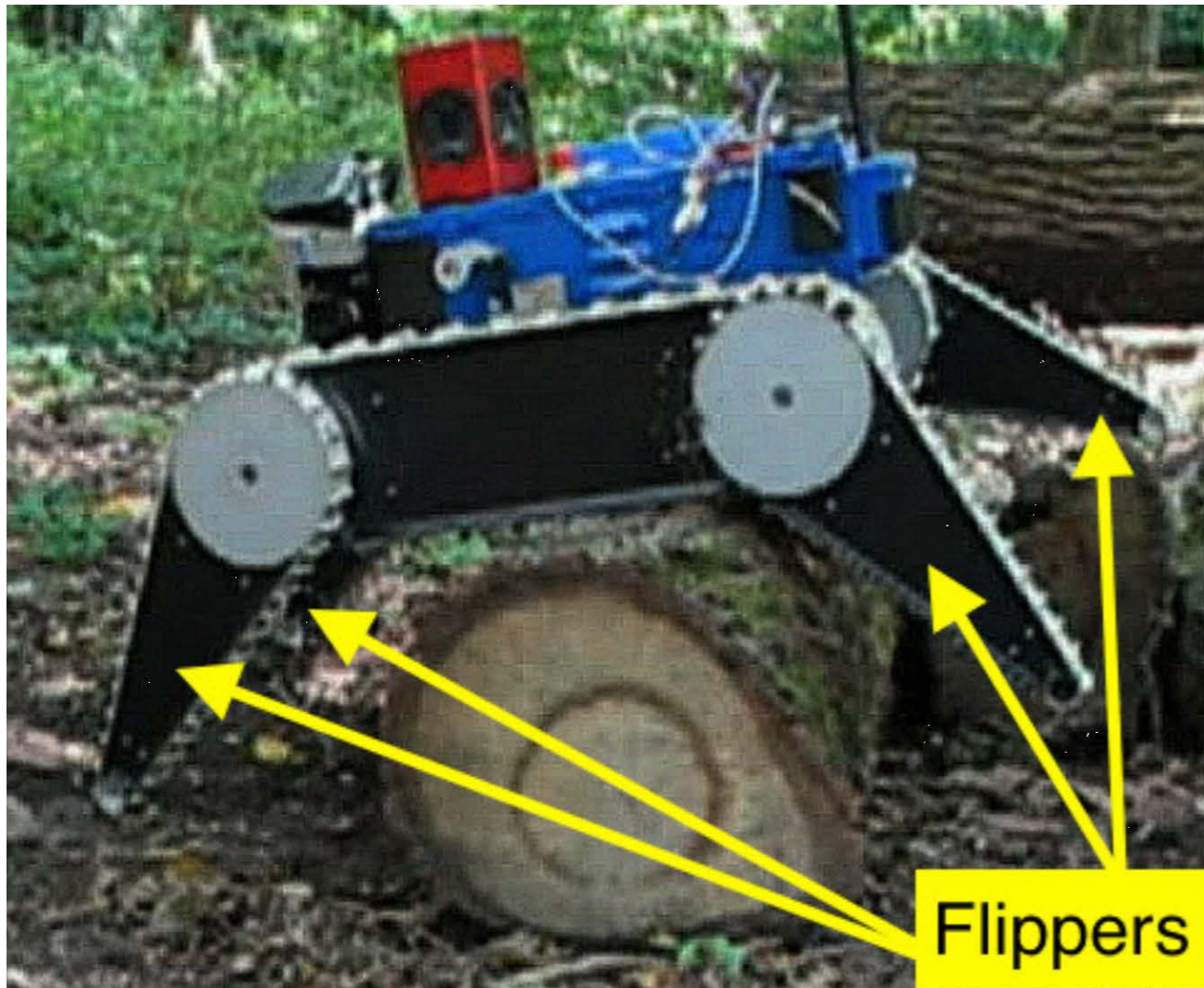
# A robot may not always obey the commands



# joint exploration and segmentation



# (reinforcement) learning for the robot control

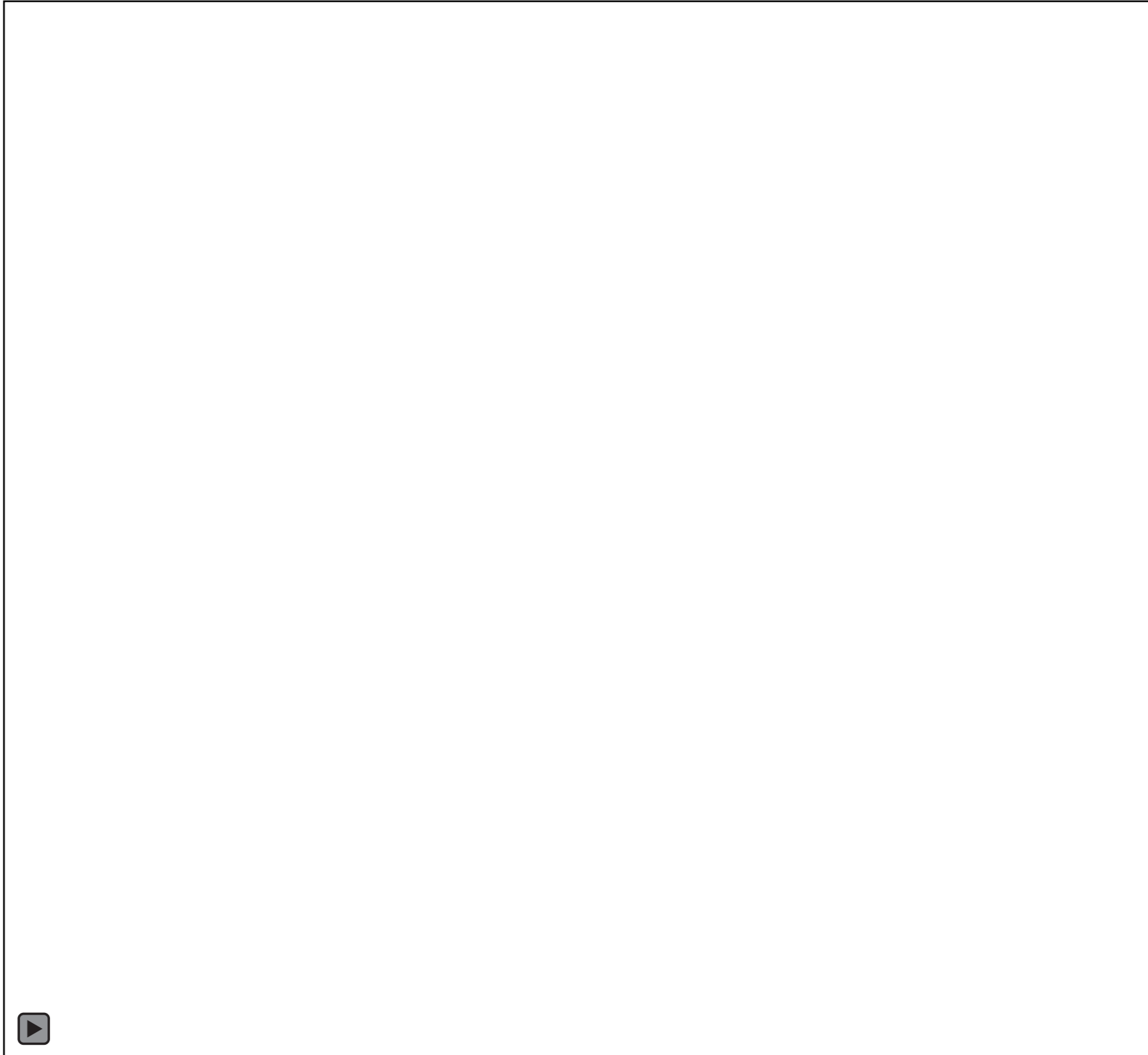


**M. Pecka, K. Zimmermann, M. Reinstein, and T. Svoboda. Controlling Robot Morphology from Incomplete Measurements. In *IEEE Transactions on Industrial Electronics*, Feb 2017, Vol 64, Issue: 2, pp. 1773-1782**

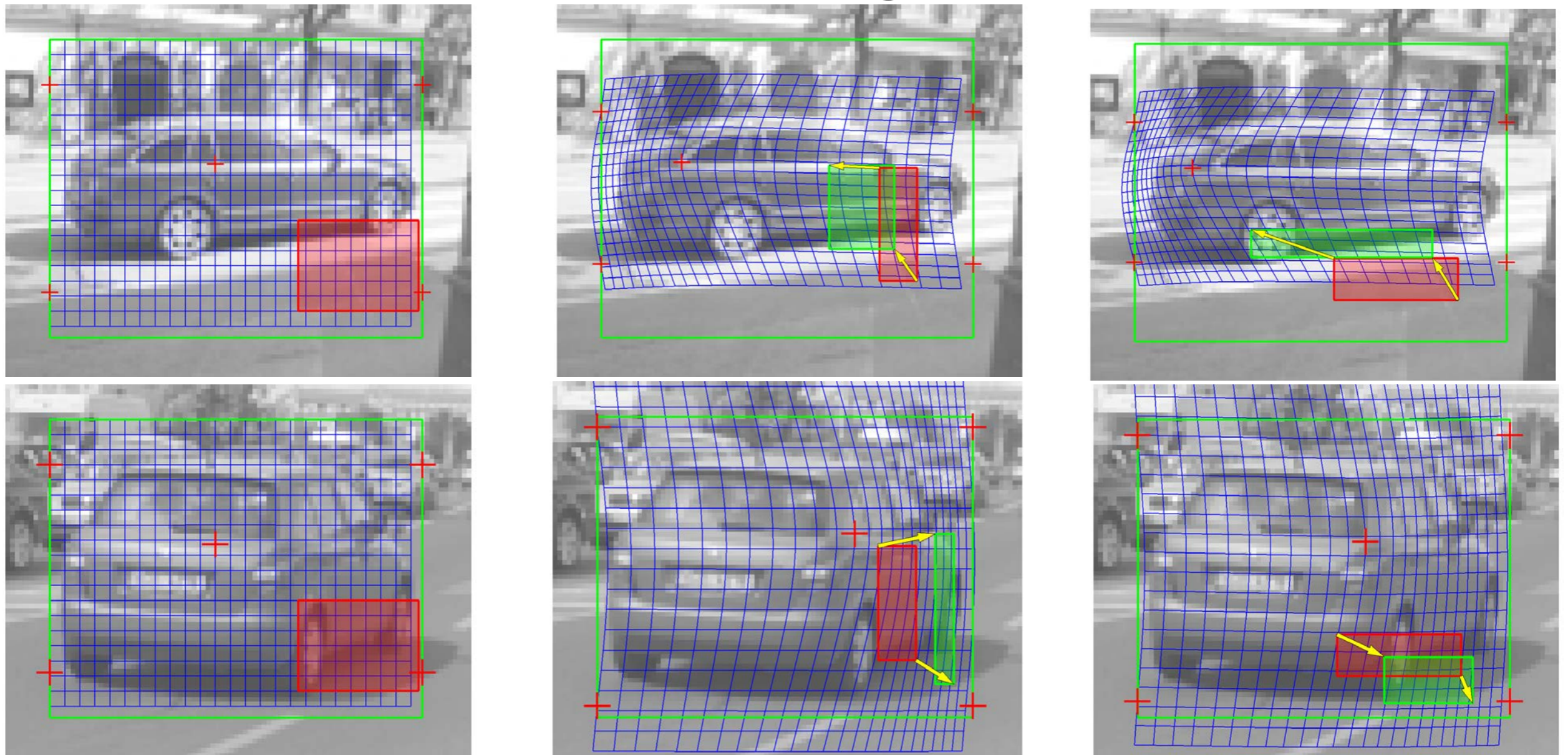
**V. Kubelka, L. Oswald, F. Pomerleau, F. Colas, T. Svoboda, and M. Reinstein. Robust data fusion of multi-modal sensory information for mobile robots. In *Journal of Field Robotics*, June 2015, Vol 32, Issue: 4**



# reinforcement learning



# object detection - deforming for better detection/recognition

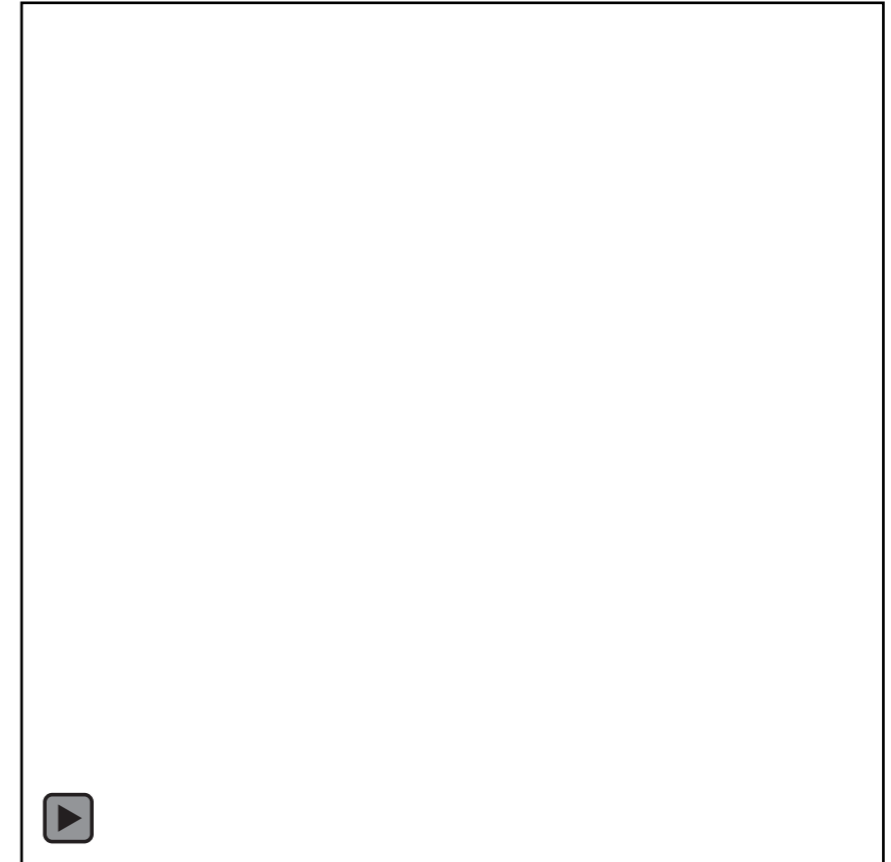
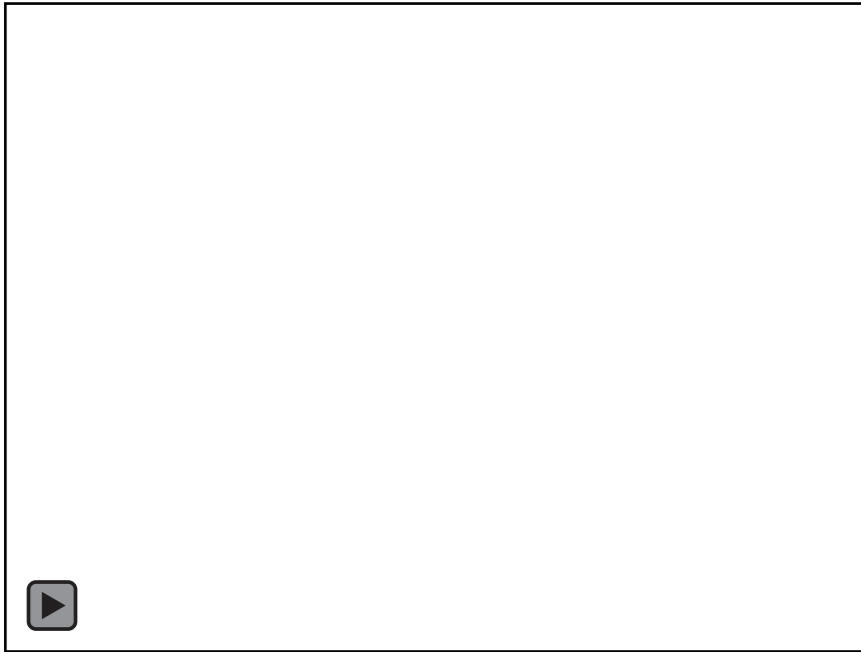


raw image (kyoCA02/50)



lateral view angle (-75,+75) [deg]

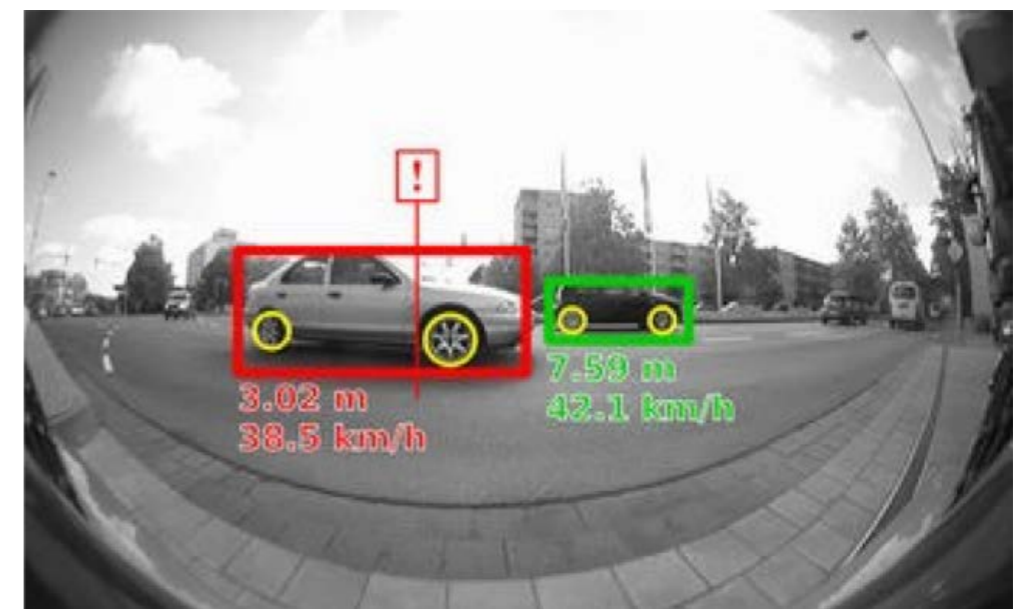
# learning, classification, ...



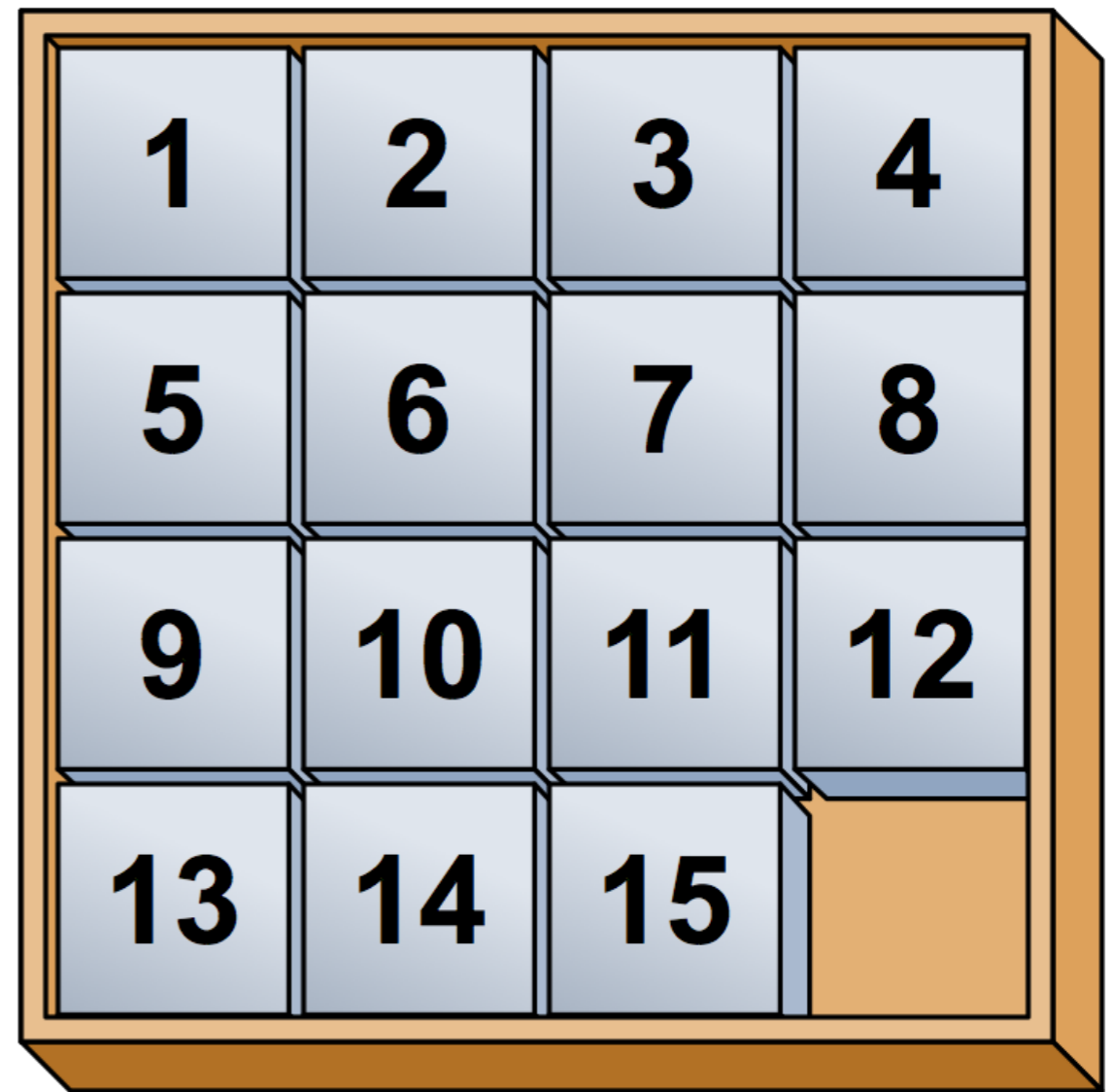
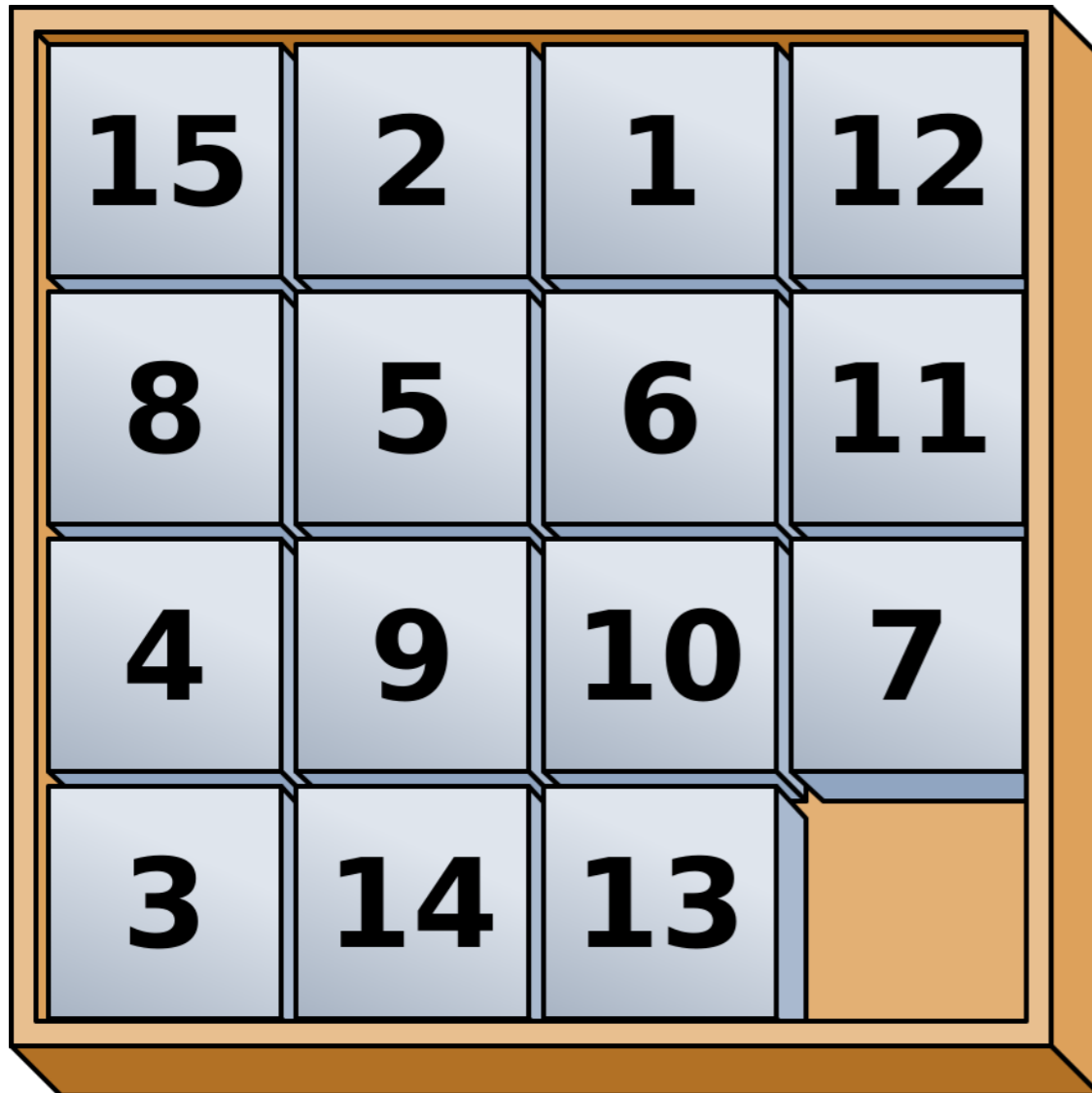
$x$ cm	XS (0–100)	S (100–125)	M (125–150)	L (150–175)	XL (175–200)	XXL (200– $\infty$ )	$\Sigma$
$P(x \text{male})$	0.05	0.15	0.2	0.25	0.3	0.05	<b>1</b>
$P(x \text{female})$	0.05	0.1	0.3	0.3	0.25	0.0	<b>1</b>

# emphasis on problem solving

- (problem) analysis
- formalization
- solution - algorithm
- implementation/computation
- verification/testing



# n-1 puzzle



15-puzzle.svg:, Public Domain, <https://commons.wikimedia.org/w/index.php?curid=28995093>

# 8-puzzle

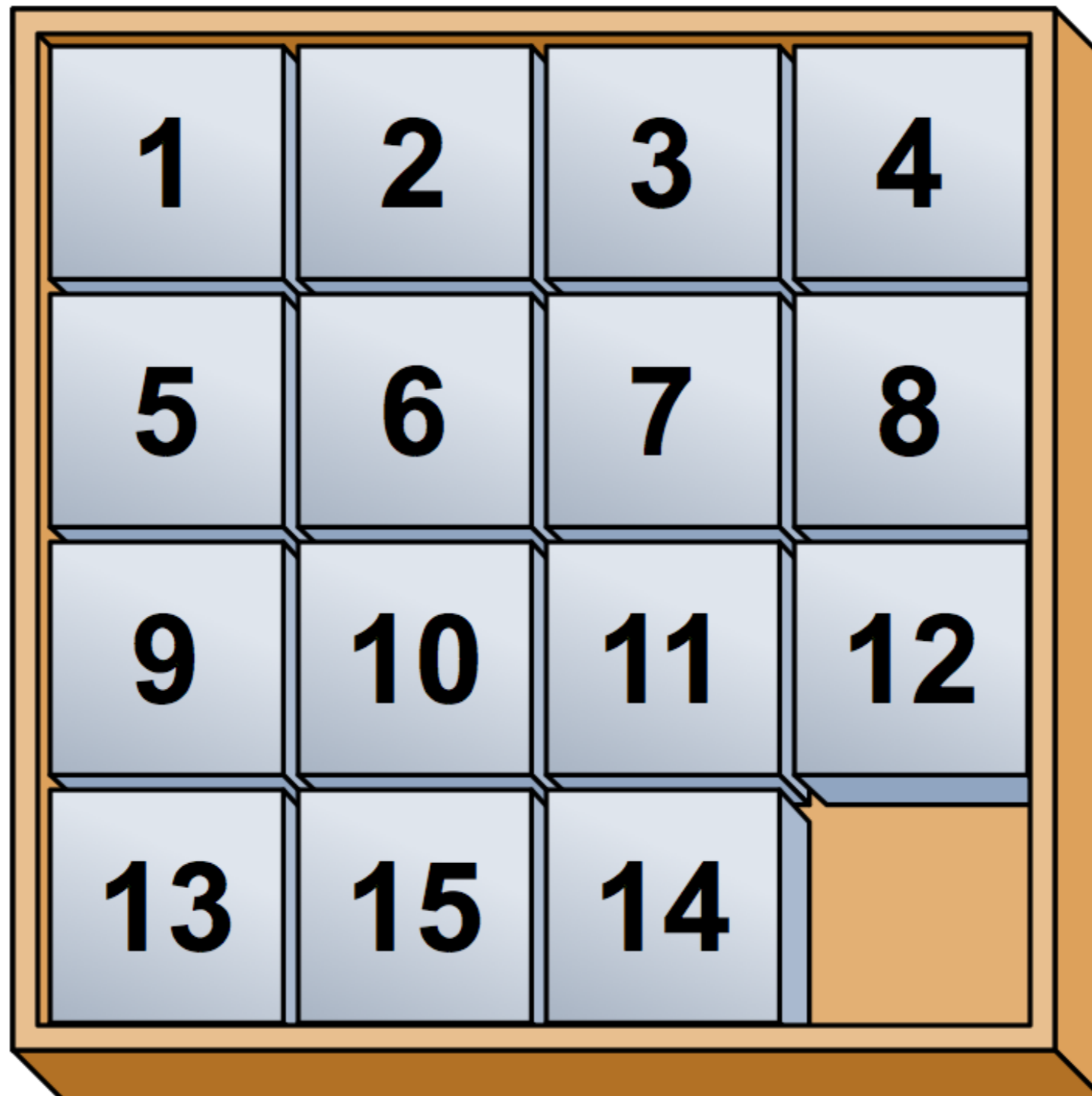
7	2	4
5		6
8	3	1

Start State

	1	2
3	4	5
6	7	8

Goal State

almost(?) there ...





# states

- What is the state?
- How many states?
- Are all states solvable?
- Can we decide before actually solving it?



# inversions

12	1	10	2
7	11	4	14
5		9	15
8	13	6	3

*fig 4*

12	1	10	2	7	11	4	14	5		9	15	8	13	6	3
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*fig 5:  
Tiles written in a row*

inversion is when a tile precedes another tile with a low number

# number of inversions during the search

## odd size

<table border="1"><tr><td>7</td><td>1</td><td>2</td></tr><tr><td>5</td><td></td><td>9</td></tr><tr><td>8</td><td>3</td><td>6</td></tr></table> <p><i>11 inversions</i></p>	7	1	2	5		9	8	3	6	goes to	<table border="1"><tr><td>7</td><td>1</td><td>2</td></tr><tr><td>5</td><td>3</td><td>9</td></tr><tr><td>8</td><td></td><td>6</td></tr></table> <p><i>9 inversions</i></p>	7	1	2	5	3	9	8		6
7	1	2																		
5		9																		
8	3	6																		
7	1	2																		
5	3	9																		
8		6																		

- moving *left or right* does not change #inversions
- moving *up or down* does (passes even number of tiles)

parity of inversions (whether is odd or even) is an *invariant*

**When is a state solvable?**

# invariant for the even sized tile

<table border="1"><tr><td>12</td><td>1</td><td>10</td><td>2</td></tr><tr><td>7</td><td>11</td><td>4</td><td>14</td></tr><tr><td>5</td><td></td><td>9</td><td>15</td></tr><tr><td>8</td><td>13</td><td>6</td><td>3</td></tr></table> <p><i>49 inversions blank on even row from bot</i></p>	12	1	10	2	7	11	4	14	5		9	15	8	13	6	3	goes to	<table border="1"><tr><td>12</td><td>1</td><td>10</td><td>2</td></tr><tr><td>7</td><td></td><td>4</td><td>14</td></tr><tr><td>5</td><td>11</td><td>9</td><td>15</td></tr><tr><td>8</td><td>13</td><td>6</td><td>3</td></tr></table> <p><i>48 inversions blank on odd row from bot</i></p>	12	1	10	2	7		4	14	5	11	9	15	8	13	6	3
12	1	10	2																															
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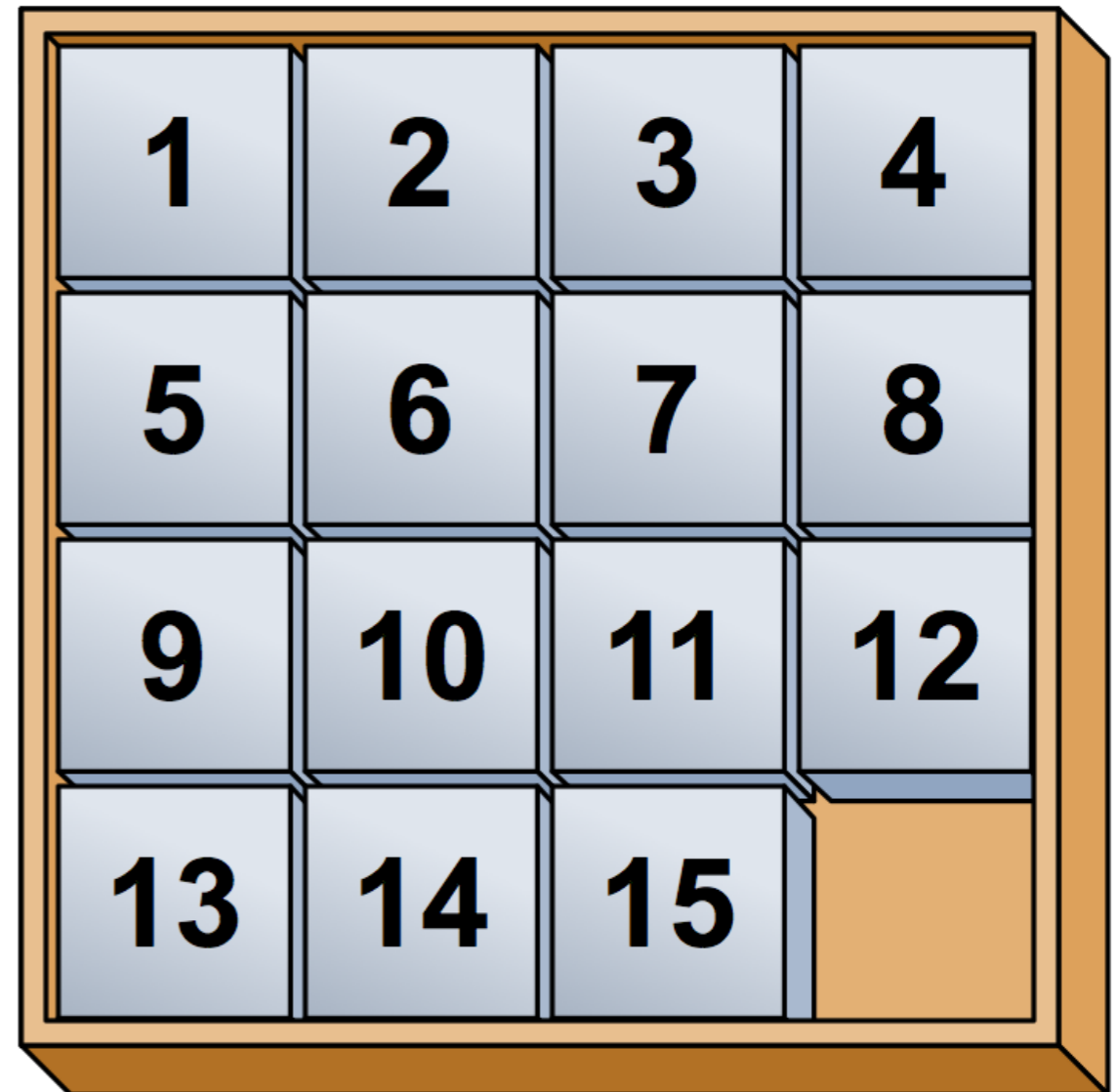
Moving a tile up or down:

- Passes an odd number of other tiles
- The row parity of the blank also changes (from odd to even, or from even to odd)

$(\#inversions \text{ even}) == (\text{blank on odd row from the bottom})$

# final states:

	1	2
3	4	5
6	7	8



# every solvable state

- If the width is odd, then every solvable state has an even number of inversions.
- If the width is even, then every solvable state has
  - an even number of inversions if the blank is on an odd numbered row counting from the bottom;
  - an odd number of inversions if the blank is on an even numbered row counting from the bottom;