Data collection planning - TSP(N), PC-TSP(N), and OP(N))

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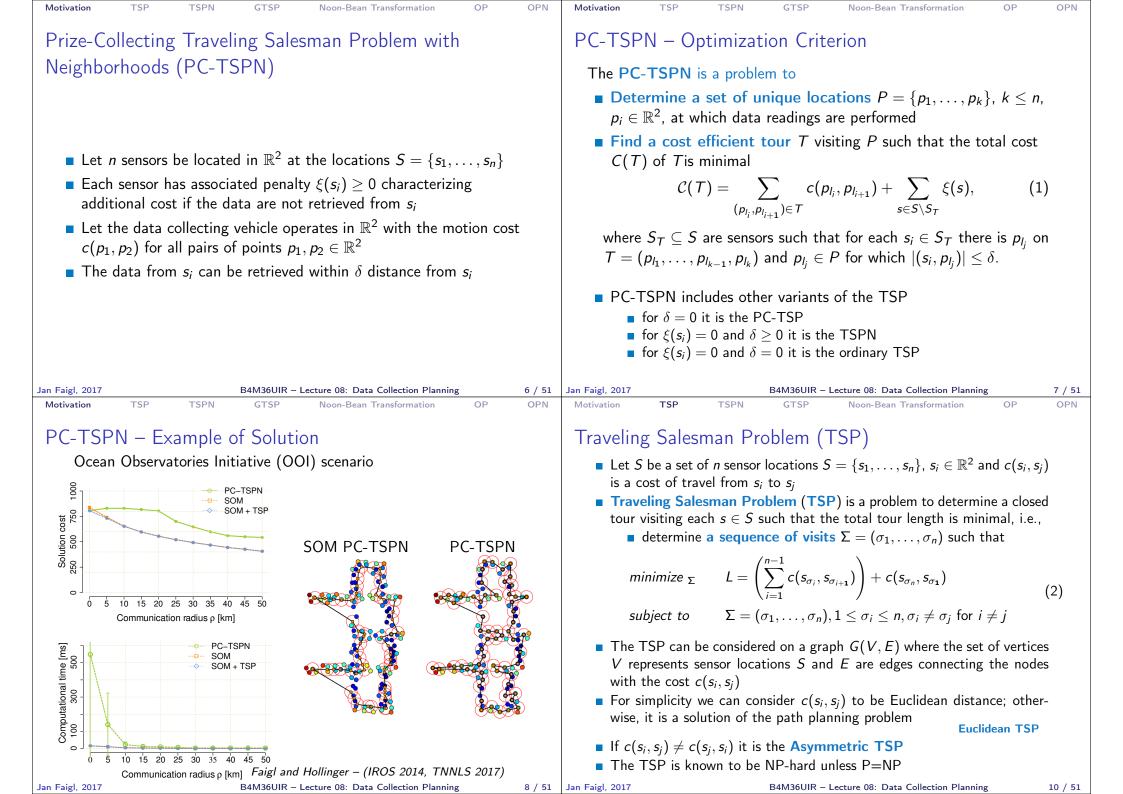
Lecture 08

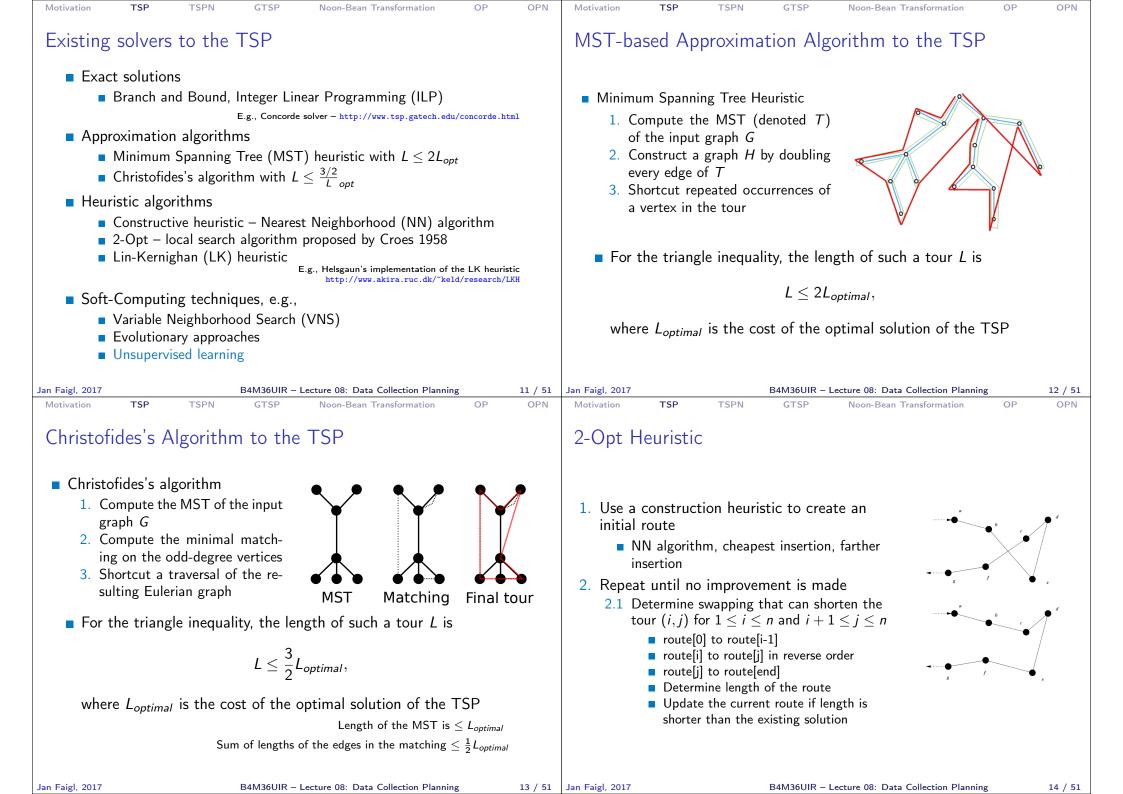
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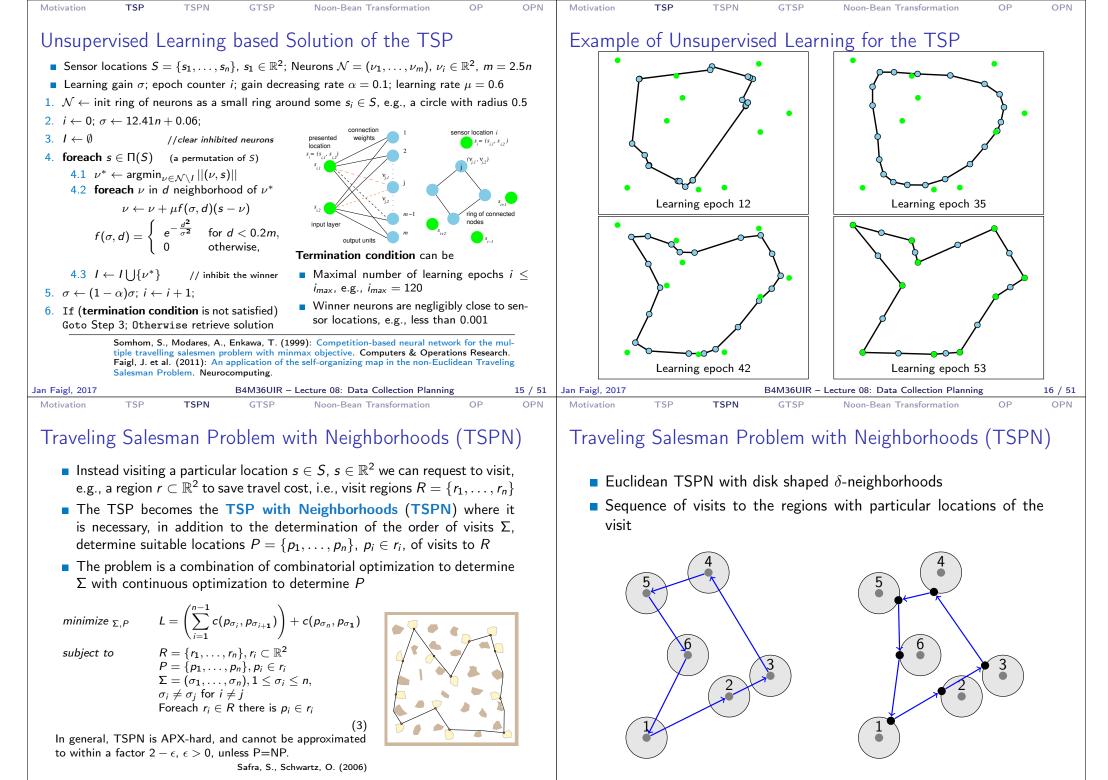
Overview of the Lecture

- Part 1 Data Collection Planning
 Data Collection Planning Motivational Problem
 Traveling Salesman Problem (TSP)
 Traveling Salesman Problem with Neighborhoods (TSPN)
 Generalized Traveling Salesman Problem (GTSP)
 Noon-Bean Transformation
 Orienteering Problem (OP)
 - Orienteering Problem with Neighborhoods (OPN)

Jan Faigl, 2017 Motivation	TSP TSPN	GTSP	Lecture 08: Data Collection Planning Noon-Bean Transformation	0P 0PN	Jan Faigl, 2017 Motivation	TSP TSPN	GTSP	ecture 08: Data Collection Planning Noon-Bean Transformation	2 / ! OP OPI
		_{GTSP}	Noon-Bean Transformation	OP OPN	Motivation Autonor B Having station cost-ef by (AUVs	TSP TSPN mous Data Co g a set of sen (s), we aim to ficient path to <u>autonomous undo</u>) from the individ <i>E.g., Sampling station</i>	GTSP llection sors (samp determine <u>retrieve d</u> erwater vehi- ual sensors	Noon-Bean Transformation	
	Part 1 – L)ata Co	llection Planning		The p the Tr	lanning problem aveling Salesma	is a variant <mark>n Problem</mark>	Central Oregón Line	Adia
					1. Data	from particular s	ensors may	be of different importanc	ce
					2. Data	from the sensor c	an be retriev	ved using wireless commu	inication
						These two aspe Prize-Collecting	ects (of general g Traveling Sale	applicability) can be considered esman Problem (PC-TSP) and ir extensions with neighborhood	d in the I Orien-
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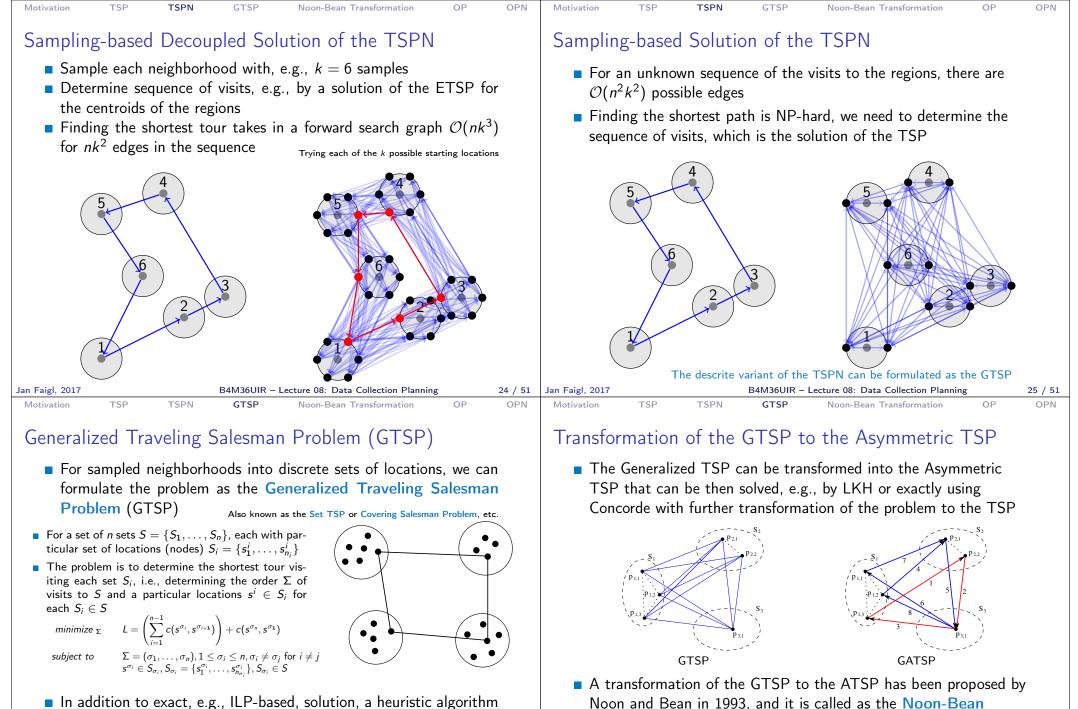
Motivation TSP TSPN GTSP Noon-Bean Transformation OP OPN	Motivation TSP TSPN GTSP Noon-Bean Transformation OP OPN				
Approaches to the TSPN	Unsupervised Learning for the TSPN				
 A direct solution of the TSPN – approximation algorithms and heuristics E.g., using evolutionary techniques or unsupervised learning Decoupled approach Determine sequence of visits Σ independently on the locations P E.g., as the TSP for centroids of the regions R For the sequence Σ determine the locations P to minimize the total tour length, e.g., Touring polygon problem (TPP) Sampling possible locations and use a forward search for finding the best locations Continuous optimization such as hill-climbing 	 In the unsupervised learning for the TSP, we can sample suitable sensing locations during winner selection We can use the centroid of the region for the shortest path computation from ν to the region r presented to the network Then, an intersection point of the path with the region can be 				
 E.g., Local Iterative Optimization (LIO), Váňa & Faigl (IROS 2015) Sampling-based approaches For each region, sample possible locations of visits into a discrete set of locations for each region The problem can be then formulated as the Generalized Traveling Salesman Problem (GTSP) Euclidean TSPN with, e.g., disk-shaped δ neighborhoods Simplified variant with regions as disks with radius δ – remote sensing with the δ communication range 	used as an alternate location For the Euclidean TSPN with disk-shaped δ neighborhoods, we can compute the alternate location directly from the Eu- clidean distance Faigl, J. et al. (2013): Visiting convex regions in a polygonal map. Robotics and Autonomous Systems.				
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Motivation ISP ISP GISP Motivation OP <	 Solving the TSPN as the TPP – Iterative Refinement Let the sequence of <i>n</i> polygon regions be <i>R</i> = (<i>r</i>₁,,<i>r_n</i>) Li, F., Klette, R.: Approximate algorithms for touring a sequence of polygons. 2008 Sampling the polygons into a discrete set of points and determine all shortest paths between each sampled points in the sequence of the regions visits <i>E.g., using visibility graph</i> <i>Initialization:</i> Construct an initial touring polygons path using a sampled point of each region Let the path be defined by <i>P</i> = (<i>p</i>₁, <i>p</i>₂,,<i>p_n</i>), where <i>p_i</i> ∈ <i>r_i</i> and <i>L</i>(<i>P</i>) be the length of the shortest path induced by <i>P</i> <i>Refinement:</i> For <i>i</i> = 1,2,,<i>n</i> Find <i>p_i[*]</i> ∈ <i>r_i</i> minimizing the length of the path <i>d</i>(<i>p_i</i>-1, <i>p_i[*]</i>) + <i>d</i>(<i>p_i[*], <i>p_i</i>+1), where <i>d</i>(<i>p_k, <i>p_l</i>) is the path</i></i> 				
It also provides solutions for non-convex regions, overlapping regions, and coverage problems.	 length from pk to pl, p0 = pn, and pn+1 = p1 If the total length of the current path over point pi is shorter than over pi, replace the point pi by pi is shorter than over pi, replace the point pi by pi is. Compute path length Lnew using the refined points Termination condition: If Lnew - L < € Stop the refinement. Otherwise L ← Lnew and go to Step 3 Final path construction: use the last points and construct the path using the shortest paths among obstacles between two consecutive points 				

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 In addition to exact, e.g., ILP-based, solution, a heuristic algorithm GLNS is available (besides other heuristics)

Smith, S. L., Imeson, F. (2017), GLNS: An effective large neighborhood search heuristic for the Generalized Traveling Salesman Problem. Computers and Operations Research. Implementation in Julia - https://ece.uwaterloo.ca/~sl2smith/GLNS

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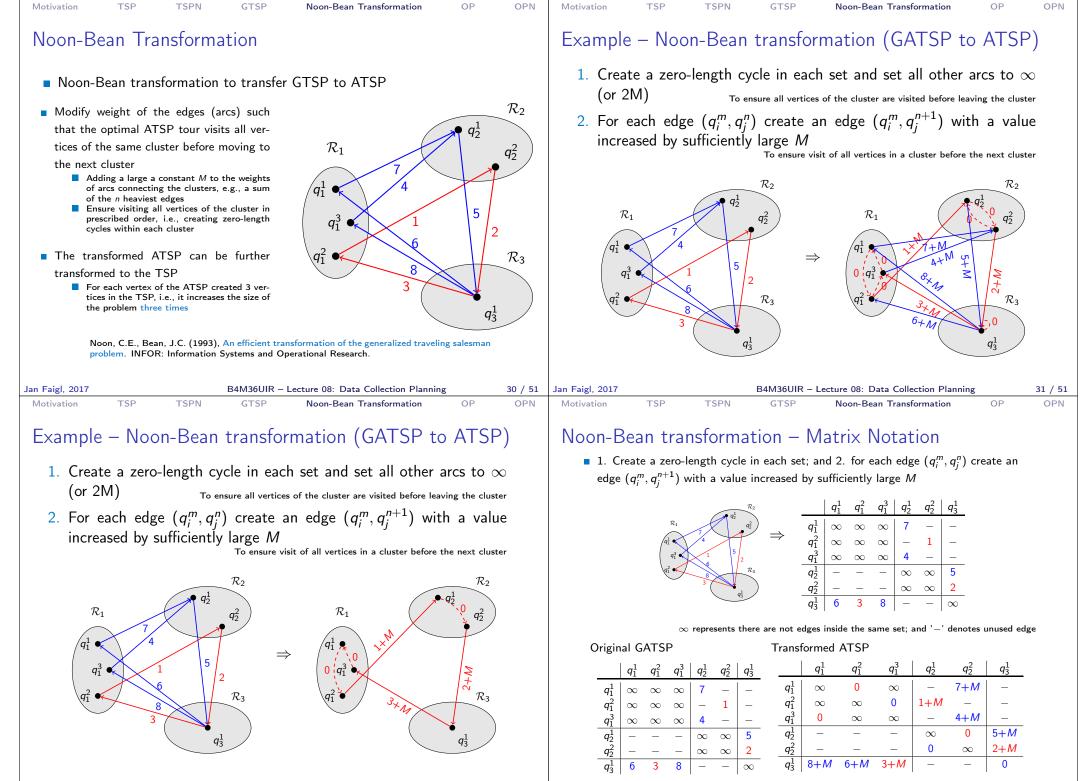
Transformation

Letters

Noon, C.E., Bean, J.C. (1993), An efficient transformation of the generalized traveling salesman

Ben-Arieg, et al. (2003), Transformations of generalized ATSP into ATSP. Operations Research

problem. INFOR: Information Systems and Operational Research.

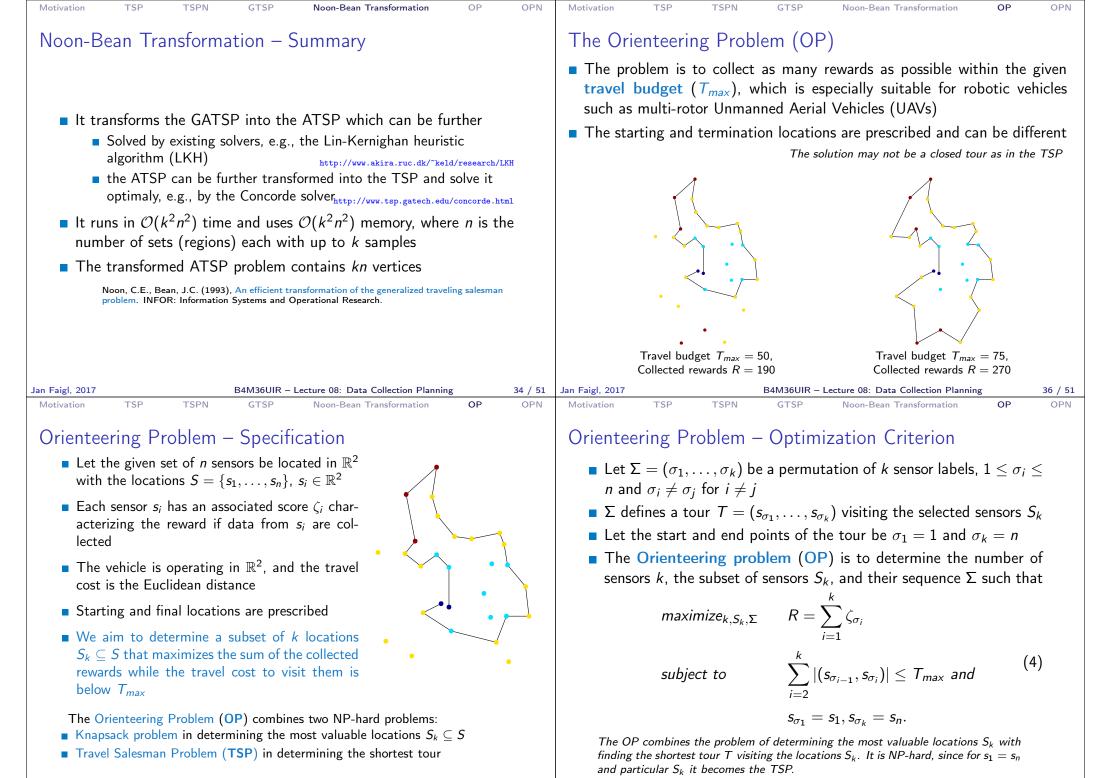


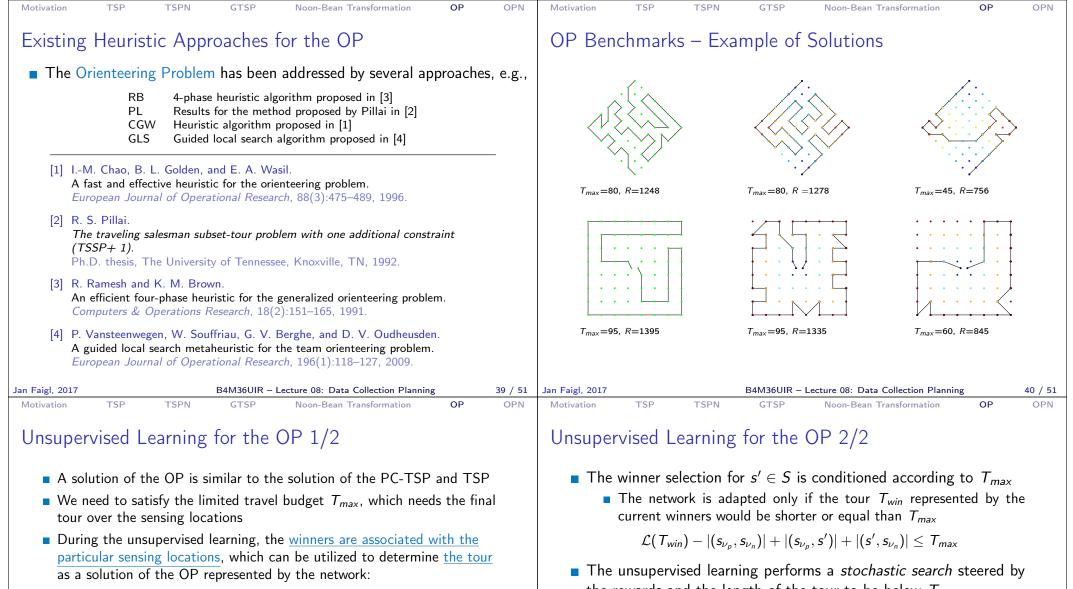
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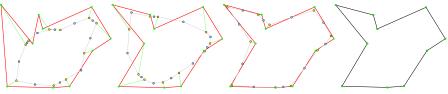
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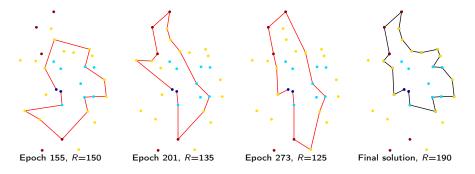


Learning epoch 7

Learning epoch 55 Learning epoch 87

• This is utilized in the **conditional adaptation** of the network towards the sensing location and the adaptation is performed only if the tour represented by the network after the adaptation would satisfy T_{max}

the rewards and the length of the tour to be below T_{max}



Final solution

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Comparison with Existing Algorithms for the OP

- Standard benchmark problems for the Orienteering Problem represent various scenarios with several values of T_{max}
- The results (rewards) found by different OP approaches presented as the average ratios (and standard deviations) to the best-known solution

OP

OPN

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OPN

OP

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Motivation

TSP

Instances of the Tsiligirides problems

Problem Set	RB	PL	CGW	Unsupervised Learning
	0.99/0.01	1.00/0.01	1.00/0.01	1.00/0.01
	1.00/0.02	0.99/0.02	0.99/0.02	0.99/0.02
	1.00/0.00	1.00/0.00	1.00/0.00	1.00/0.00

Diamond-shaped (Set 64) and Square-shaped (Set 66) test problems

Problem Set	RB [†]	PL	CGW	Unsupervised Learning	
Set 64, 5 \leq T_{max} \leq 80	0.97/0.02	1.00/0.01	0.99/0.01	0.97/0.03	
Set 66, $15 \leq T_{max} \leq 130$	0.97/0.02	1.00/0.01	0.99/0.04	0.97/0.02	

Required computational time is up to units of seconds, but for small problems tens or hundreds of milliseconds

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Noon-Bean Transformation

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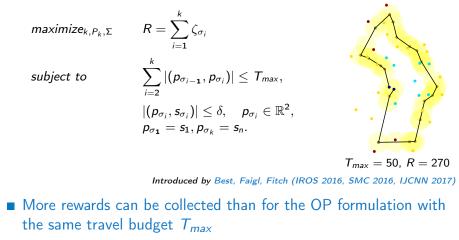
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Motivation	TSP

Orienteering Problem with Neighborhoods

Data collection using wireless data transfer allows to reliably retrieve data within some communication radius δ

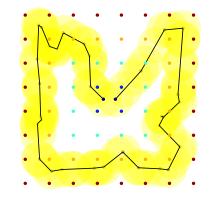
GTSP

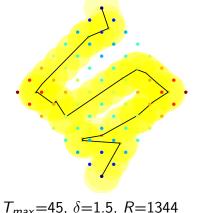
- Disk-shaped δ -neighborhood
- We need to determine the most suitable locations P_k such that



Orienteering Problem with Neighborhoods

Similarly to the TSP with Neighborhoods and PC-TSPN we can formulate the Orienteering Problem with Neighborhoods.





Noon-Bean Transformation

OP

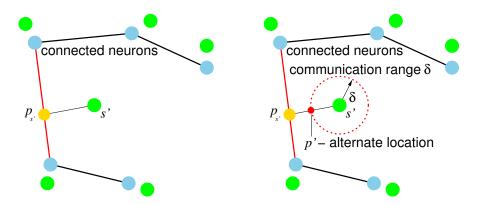
OPN

 $T_{max}=60, \delta=1.5, R=1600$

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otivation	TSP	TSPN	GTSP	Noon-Bean Transformation	OP	OPN

Generalization of the Unsupervised Learning to the Orienteering Problem with Neighborhoods

The same idea of the alternate location as in the TSPN



• The location p' for retrieving data from s' is determined as the alternate goal location during the conditioned winner selection

